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NAVAL POSTGRADUATE SCHOOL Monterey, California



THESIS

OPTIMIZATION OF THREE DIMENSIONAL COMBINED TRUSS/FRAME STRUCTURES

Ъу

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October 1982

Thesis Advisor:

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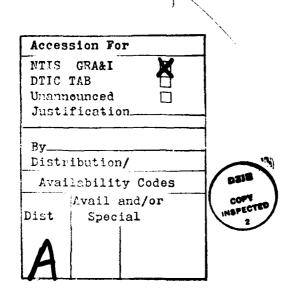
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Flexibility is provided for expansion to other than tubular frame elements, and provisions are made for the future growth to panel and other types of structural elements.

Documentation is provided to facilitate use of the code. A User's manual is presented with examples and results. An explanation of how this code may be coupled to an optimizer is also provided.



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Optimization of Three Dimensional Combined Truss/Frame Structures

by

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Lieutenant, United States Navy
B.S.Nuc.Eng., North Carolina State University, 1974

Submitted in partial fulfillment of the requirements for the degrees of

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I. INTRODUCTION

The task of the Engineer is to provide the best solution to the customer's problem. Usually the "best" solution is the one that does the job with an adequate margin of safety, is aesthetically pleasing, and is economically feasible.

The solution may be reached through various means, but efficient use of design tools, as well as efficient use of materials is important since both add to the overall cost of the product. Design optimization is one method that can be used to maximize the efficiency of a structure by minimizing its weight and, presumably, cost.

Optimization of structures has had continuing changes since its development in the early 1960's with an active area of research being elastic structures. The main goal is to design structural systems that efficiently perform specified purposes. Since most physical structures can be modeled by the finite element method, a computer program can be written to perform the necessary calculations to solve the problem.

The purpose of this research was to develop a finite element code that could be used to analyze a combined truss/ frame structure and could be easily coupled to an optimizer; thus providing a useful tool for designing such structures

as, for example, ships' masts. This code expands the previous work by Fitzgerald [Ref. 1] on truss structures to the more general six degree-of-freedom truss/frame case.

The design problem considered in this study is the optimization of three-dimensional statically indeterminant combined truss-frame structures under varying load conditions and subject to a variety of constraints. The objective is to minimize the weight of the structure where the design variables are member sizes and joint coordinates. Constraints include: maximum normal stress; maximum joint displacements; minimum structure natural frequencies; Euler buckling; and in the case of the tubular frame elements, local or shell buckling.

In the present code, all gradient information is calculated by the finite difference method. Modification of the code to permit calculation of gradients analytically has been identified as a necessary future extension.

This document describes the use and capabilities of the finite element computer code to be coupled to an optimizer. The user's manual presented in Chapter V contains a simple design example in which the program is coupled to the CONMIN optimization code [Ref. 2]. Additionally, guidelines for coupling the code to an optimizer of the user's choice are presented.

Several examples demonstrating the program under a variety of conditions are presented. Conclusions and recommendations for future work are given.

II. ANALYSIS

A. INTRODUCTION

When the finite element method of analysis is used to design optimization, two objectives must be kept in mind. First, the number of analyses for the structure should be kept to a minimum. Second, the amount of gradient information required during the design process should be minimized to shorten run times and minimize computer storage requirements.

B. STATIC ANALYSIS

Initial formulation of the problem must include approximate member areas in the case of truss elements, and for frame elements, characteristic dimensions (for tubular members: mean diameter and wall thickness); material properties (which may be different for each member); a set or sets of external loads; any non-structural attached masses; and specified joint support conditions.

The analysis for the stresses and deflections at the joints must satisfy the conditions of equilibrium of forces at the nodes and geometric conditions of compatibility of deformation. In this analysis the structure is assumed to behave in a linearly elastic fashion. The weight of an individual member is not inherently included as part of the

specified load conditions; but, as an option, half of the weight of each member may be applied at the member's endpoints as an additional load in the negative Y-direction.

For this analysis, the following assumptions are made: truss and frame members are treated as discrete entities; truss elements have three translational degrees of freedom at each node and are treated as pin-connected; frame elements have three translational and three rotational degrees of freedom at each node and are treated as fixed-fixed beams; and loads and reactions are applied at the joints as shown in Figure 2.1.

The Displacement (Stiffness) method for finite element analysis [Ref. 3] is utilized where

$$\mathbf{K}\mathbf{u} = \mathbf{F} \tag{3.1}$$

and where ξ is the global stiffness matrix, ξ is the vector or vectors or vectors of applied loads, and ξ is the vector or vectors of displacements. The method used herein is an extension of that described by Felix and Vanderplaats [Ref. 4]. By applying the constitutive stress-displacement relationships, stresses in the elements may be recovered.

C. DYNAMIC ANALYSIS

When constraints on the system's natural frequencies are to be considered, the design process requires the solution of an eigenvalue problem. The sub-space iteration

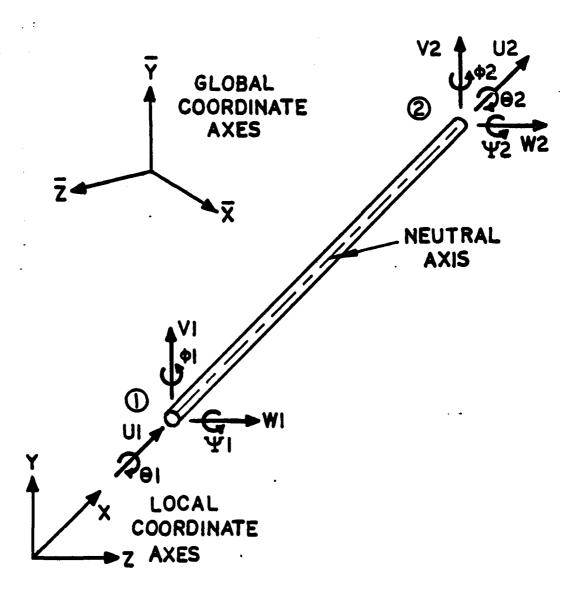


Figure 2.1 FORCE ORIENTATION CONVENTION FOR AN ELEMENT

method of Bathe and Wilson [Ref. 5] is used to solve for the desired number of lowest eigenvalues and the associated eigenvectors. This method is reasonably efficient for a small number of lowest frequencies for a large problem, and is well suited for re-analysis when small changes are made in the design.

D. GRADIENTS

Gradients are currently calculated with respect to member sizes and coordinates only by finite difference techniques.

Inclusion of the capability to calculate gradients analytically is identified as a needed extension to this work.

III. OPTIMIZATION

A. INTRODUCTION

The primary objective of structural optimization is to design systems that efficiently perform specified purposes. Selection of a specific optimizing algorithm must take into account the following: 1) the structure should be analyzed as few times as possible; 2) the algorithm should minimize the amount of gradient information required; 3) the algorithm should provide reasonable assurance that an optimum or near-optimum design will be reached.

B. GENERAL FORMULATION

The general statement of inequality constrained minimization is as follows:

Minimize

$$F(X) \tag{4.1}$$

Subject to:

$$G_{j}(X) \leq 0$$
 $j=1,m$ (4.2)

$$x_i^{\ell} \le x_i \le x_i^{u}$$
 i=1,n (4.3)

where F(X) is the objective function to be minimized. The functions $G_j(X)$ are the set of inequality constraints to be met. The vector X contains the design variables.

The inequality constraints, $G_j(X) \leq 0$ j=1,m, must be satisfied for the design to be accepted as feasible. Side constraints, x_i^l and x_i^u , are lower and upper bounds on the design variables. The objective function must be minimized as much as possible while still satisfying all inequality constraints. In the case that it is not possible to satisfy all constraints, the most nearly feasible solution must be found. Felix and Vanderplaats [Ref. 4] is an excellent source for the basic structural design formulation.

C. DESIGN VARIABLES

The vector X contains the design variables; in this case, member characteristic dimensions for frame elements, cross-sectional areas for truss elements, and spacial coordinates of the joints. The user may elect to optimize the structure weight with respect to any combination of the above variables.

For truss elements, where normal stress is dependent only upon the magnitude of the cross-sectional area of an element and not the distribution of that area, it is sufficient to use the area as the design variable as long as the Euler buckling stress can be related to the cross-sectional area. For frame elements where stresses are dependent on area distribution, more flexibility is allowed by varying two characteristic dimensions and allowing the code to calculate the section properties from these.

In the case of tubular elements, the characteristic dimensions are mean diameter and wall thickness; from which area, bending and polar moments, and maximum radial dimensions are generated.

The optimum geometry problem requires that the joint coordinates be design variables. The x, y, and z coordinates of a joint are treated as separate design variables.

In many cases it is desirable to link a set of design variable together to preserve symmetry, limit the number of variables to be solved, or to limit the number of unique elements to be manufactured. The code has provisions for design variable linking by which two or more variables may be linked in equality or some fixed ratio.

D. OBJECTIVE FUNCTION

The objective function under consideration is weight

$$F(X) = \sum_{i=1}^{NE} \rho_i A_i L_i \qquad (4.4)$$

where ρ_i is the weight density (in consistent units) of the material of the ith element, A_i is the cross-section area of the ith element, and L_i is the length of the ith element and NE is the number of elements in the structure.

E. CONSTRAINTS

This code is designed to accommodate constraints on maximum normal stress, Euler buckling, local or shell buckling,

maximum joint displacements, and minimum natural frequencies of the structure. All constraint values are normalized.

1. Stress:

For truss elements, maximum normal stress σ_M is calculated directly from the element tensile forces. For frame elements; tensile stress σ_A , maximum bending and shear stresses σ_B and σ_T are calculated. Maximum and minimum normal stresses are

$$\sigma_{\text{max}} = \text{max magnitude of } \underbrace{\sigma_{\text{A}} + \sqrt{(\sigma_{\text{A}}^2 + 4\sigma_{\text{T}}^2)}}_{2}$$
 (4.5)

$$\sigma_{\min} = \min \text{ magnitude of } \underbrace{\sigma_A + \sqrt{(\sigma_A^2 + 4\sigma_T^2)}}_{2}$$
 (4.6)

The upper and lower bounds on stress may be different for each member, but are taken to be the same for every loading condition.

2. Local or Thin Shell Buckling

The stress at which local or thin shell buckling occurs is given by:

$$\sigma_{L_{i}} = \frac{0.4E_{i}}{D_{m_{i}}/t_{i}}$$
 (4.7)

where the subscript i corresponds to the member number, E_i is Young's modulus, D_m is the element's mean diameter, and t_i is the element's wall thickness.

F. DESIGN VARIABLE BOUNDS

Side constraints are imposed on the design variables as:

$$CD_{i}^{\ell} \leq CD_{i} \leq CD_{i}^{u} \tag{4.8}$$

CD is the characteristic dimension and $\mathrm{CD}_{\mathbf{i}}^{\ell}$ and $\mathrm{CD}_{\mathbf{i}}^{\mathbf{u}}$ are the minimum and maximum allowable characteristic dimensions of the ith element, and are taken to be the same for all load cases. If, as is the case in a tubular element, geometry dictates that some relationship between the design variables cannot be exceeded, i.e., thickness cannot exceed the mean diameter, the user must arrange the bounds to preclude such an occurrence.

G. OPTIMUM GEOMETRY

Joint coordinates are treated as design variables with a separate design variable for each coordinate direction of a node. Coordinate design variables may also be linked.

IV. PROGRAM FEATURES

A. INTRODUCTION

Computer codes each have their own features and formats with which the user must become familiar if he is to use the code easily and efficiently. The SADX code developed in the course of this research has been designed with various options which are explained in this chapter. Chapter V contains a User's Manual with sample data for a typical problem that might be solved with this code: a truss-braced cantilever beam. This problem along with other numerical examples will be presented in detail with results in Chapter VI.

The SADX code was written to be used as a stand alone analysis program or as an analysis code that could be easily be coupled to an optimizer (of the user's choice) through simple modifications to the main driver program.

B. FEATURES

When the user supplies member areas, section types, characteristic dimensions, material data, connectivities and joint coordinates, along with a set of program control parameters; the analysis mode will calculate the weight of the structure. The addition of one or more sets of loading parameters will result in the calculation of resultant joint

displacements, member stresses, and/or forces for each load case along with the desired number of structure natural frequencies and modes. Design variables may be chosen as truss element areas, frame element characteristic dimensions, and joint coordinates. When coupled to an optimizer, the code will minimize the weight of the structure and print the final optimization information. The code is designed to be as simple to use as possible while retaining the flexibility for use on a variety of problems.

The code's modular construction allows the user to use frame element cross-sections other than tubular elements. This is done by reading in two characteristic dimensions for each frame element along with a section type identifier. Subroutine SADX85 is called to calculate the section properties, area, maximum radial dimensions, and bending and polar moments of inertia. The user may augment this subroutine to calculate section properties for whatever section type he may choose to work with.

Many computer codes require the definition of an auxiliary node to orient the principle axis of a non-axially symmetric element. In this code it is assumed that the element's local z-axis is parallel to the global x-z plane.

Pseudo-dynamic storage is used to allow storage of most data in one integer and one real array for more efficient use of storage.

Various print control options are available to tailor the printed output to match the user's desires.

Design variable linking is available to allow elements and joints to be grouped to maintain symmetry, limit the number of independent design variables, or reduce the variety of member sizes generated.

Optimization may be performed with respect to member size, with respect to structure geometry, or with respect to both.

Structures may be comprised of truss elements, frame elements, or a mix of the two types.

Structures may be optimized for multiple load cases with constraints imposed upon any combination of maximum normal stress, maximum joint displacements and rotations, Euler and local buckling, and a specified number of minimum natural frequencies in free vibration. Separate displacement constraints may be imposed for each load case. Both consistent and lumped mass options are coded. Either forces or stresses or both can be output. The user may decide whether to include the structure's weight and the fixed masses as loads applied to the structure.

C. EXAMPLE

The following example of the truss-braced cantilever beam presented in Tables (I-V) demonstrates some of the options available in the code.

TABLE I

TRUSS-BRACED CANTILEVER BEAM: INPUT CONTROL PARAMETERS

INPUT PARAMETERS FOR STRUCTURAL ANALYSIS AND DESIGN ROUTINE, "SADX"

TRUSS-BRACED CANTILEVER BEAM: EXAMPLE 1

CONTROL PARAMETERS

```
TOTAL NUMBER OF ELEMENTS, NEE=
TOTAL NUMBER OF BAR ELEMENTS, NEF=
TOTAL NUMBER OF FRAME ELEMENTS, NEF=
TOTAL NUMBER OF FRAME ELEMENTS, NEF=
TOTAL NUMBER OF JOINTS, NJ=
JOINT MAXIMUM DEGREES OF FREEDOM, JCM=
JOINT CONSTRAINT VARIABLE, NCJ=
NUMBER OF MATERIAL TYPES, NMT=
NUMBER OF LOAD CONDITIONS, NEIG=
NO. OF EIGENVALUES CALCULATED, NEIG=
NO. OF FIGENVALUES CALCULATED, NEIG1=
NUMBER OF FIXED MASSES, NFMASS=
EULER BUCKLING CONSTRAINT ID, LBUCK=
NO. OF DISPL. CONSTRAINT ID, LBUCK=
NO. OF PRED. CONSTRAINTS, NDSPLC=
LOCAL BUCKLING CONSTRAINTS, NDSPLC=
NO. OF PRED. CONSTRAINTS, NDSPLC=
LUMPED MASS OPTION, NSIRES=
OPTIMUM SIZE/BOTH/GEOM OPTION IDVCLC=
STRUCTURE WEIGHT AS LOADS OPTION NFMW=
FIXED MASSES AS LOADS OPTION NFMW=
```

ACCELERATION DUE TO GRAVITY, GRAV = 0.38640E+03 EIGENVALUE CONVERGENCE TOLERANCE, EPSEIG = 0.10000E-03

TABLE II

EXAMPLE 1: JOINT COORDINATE AND MEMBER INPUT DATA

JCIAT JCINT 1 2 3 4 5	CCCRDINATES 0.0 0.1 0.2 0.0 0.0 0.0	E+03 0.0 E+C3 0.0	Y 3000E+0 2	Z 0 • 0 0 • 0 0 • 0 0 • 0 0 • 0 0 • 5 0 • 5 0 • 5 0 • 5 0 • 6
CCORDI	NATE CESIGN CESIGN	VARIABLES		
JCINT 2 3	VARIABLE X Y C C O C C O C	X 0.0 0.0 0.0	TPLIER	Z 0.0 0.0 0.0
3	c d d	0.1000E+01 0.1000E+01	0.1000E+01	0.1000E+01

ELEMENT INFOFFATION FOR EAR ELEMENTS

ELEMENT-JOINT RELATIONSHIPS

LNO NODEL NODE2 MATL DVAR1 AREA LENGTH

1 2 4 1 1 0.3000E+C1 0.1803E+03

ELEMENT INFORMATION FOR FRAME ELEMENTS

ELEMENT INFORMATION FOR FRAME ELEMENTS

ELEMENT NUMBER ATL 1ST DESVAR 2ND DESVAR

1 AREA LENGTH Z-MOMENT Y-MOMENT ZMAX

ELEMENT NUMBER ATL 1ST DESVAR 2ND DESVAR

1 AREA LENGTH Z-MOMENT Y-MOMENT ZMAX

ELEMENT NUMBER ATL 1ST DESVAR 2ND DESVAR

ELEMENT NUMBER ATL 1ST DESVAR 2ND DESVAR

AREA LENGTH Z-MOMENT Y-MOMENT ZMAX

YMAX

YMAX

TABLE III

EXAMPLE 1: SAMPLE DISPLACEMENT AND FORCE/STRESS OUTPUT

AC. CF	-	-	2						
. I	LOAD CCMD	TEMSIL O.	E FORCE IN N 73C7F+04 1549E+04	44 J STRESS -0.0020F+03 0.4449E+03					
rac	LOAS CCAS	TENSIL	F FORCE IM X 74286+04 34136+05	0 . 140 E + 03 -0 . 401 6 E + 04					
· NC. GP	FRANE ELEMEN	175 -	2						
(LEMENT	LOAS COMS	HCOE	TENSILE FCR	CE SHEAR PORCE	SHEAR FORCE	TOPSICH MONENT	BENDING MONEN	T RENDERS HO	MENT MAR IS STRESS
3	i	HIGH	-8:1737E:8	-8:1865	-0.3395 -01	8:8	-0.97646-03	0. 351 3E+05 0. 714 5E+05	-0.96328.04 0.19638.05
3	3	HIGH	0.4447E+0	2 -8:21875:83	-0:14828:04	8:8	0:48168:05 0:100000000	-8:13331:83	0.1447E-09
flement	LOAC COMO	NCCE	TRUSTLE FOR	CE SHEAR PORCE	SMEAR FORCE	TORSICH POMENT	SENDING HOMEN	T BENDING PC	ENT STRESS
:	1	HSEM	-8:4883E-8		-8:-7448-05	8:8	8:13724-83	-0.71458+05 0.42506-01	-8:33778-87
EIGERVA	LUES ÅPG #11	HIGH HIGH SENVECT	8:3 :818: -8	KERIKIS- I	-8:}8885:22	8:8	-9:18992:33	-1:11111-21	-0-34001-05 -0-34001-05
#FPEuik	POER - C. Is De	46+03	CPS		•				
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3	-8:337111-8	-8:1	iiiei i	765 97 [-0] 150 00 00 00 0					
1010 0	CADITION								
		1							
JAT 7	CEMENTS -GISPL	7-	GISPL OF	FREEDCM Z-OISPL 0.0	FCT ABT	X RCT AS1	TY ROTA	ABT Z	
1 -0	105E-03	-0:	275E-02	-0.137E-03 -0.343E-03	0. 0 C.0	0.0 0.206E-	0.0	 	T AST Z
Ž Č	:6	ē.	icš e -šī	0.0 0.0	Ç. 0 Q. 0	0-206E-	-05 -0.679	5E-04 .	56646E-04 87481E-04
	CADITICA	2	•	0.0	0-0	0.0	ŏ.ŏ		ă
	CEMENTS -CISPL	٥٥	EGREE OF	FREEDOM Z-DISPL					
	226E-03	U.	1715-00 1715-00	Z-DISPL	ROT ABT	X ROT ABT	Y ROT A		T ABT 2
					^ ^				. 48
3 -C.	2266-03	-ğ.	1715-02 1616-01	-0.187E-02	0.0 0.0 0.0	0.416E-	04 -0.847 04 -0.143	E-04	64 68 9 E-0 4 1 4 26 9 E-0 3

TABLE IV

EXAMPLE 1: SAMPLE CONSTRAINT OUTPUT INFORMATION

GISPLACEMENT CONSTRAINTS START AT NUMBER 2 AND STOP AT NUMBER 5

TRUSS ELEMENT STRESS CONSTRAINTS
START AT NUMBER 6 AND STOP AT NUMBER 17

FFAME ELEMENT STRESS CONSTRAINTS
START AT NUMBER 18 AND STOP AT NUMBER 41

THE NUMBER OF CONSTRAINTS NOTOT = 41

```
1) --4CE882E+C2 --161055E+01 --389445E+00 --258895E+00
5) --174111E+C1 --9E1588E+00 --101841E+C1 --943857E+00
13) --101236E+C1 --9E764CE+00 --103769E+01 --102428E+C1
13) --575722E+CC --102139E+01 --888844E+00 --111156E+01
17) --901716E+CC --126755E+C1 --732450E+CC --152875E+C1
21) --471251E+C0 --118559E+01 --972695E+00 --597988E+00
25) --14C201E+C1 --225C14E+C0 --177499E+C1 --127432E+01
27) --955641E+C0 --171444E+01 --285557E+C0 --100000E+01
23) --95999E+C0 --123411E+01 --965558E+00 --581741E-04
23) --951795E+C0 --959598E+00 --10C000E+G1 --132766E+01
```

TABLE V

EXAMPLE 1: FINAL OPTIMIZATION INFORMATION

```
FINAL OPTIPIZATION INFORMATION
                    C.5875C7E+G3
      DECISION VARIABLES (X-VECTOR)
1) C.348C(E+01 0.84992E+01 0.48389E+01 0.21898E+00 0.15576E+00
7) C.45432E+02
      CCNSTRAINT WALUES (G-VECTOR)

1)-C.4088EE02 -0.16166E01 -0.28945E+00 -0.25889E+00 -0.17411E+01

7)-C.10184E+01 -0.94386E+00 -0.10124E+01 -0.98764E+00 -0.10377E+01

3)-C.97572E+00 -0.10214E+01 -0.88844E+C0 -0.11116E+01 -0.90172E+00

19)-C.73245E+00 -0.15287E+C1 -0.47125E+00 -0.11856E+C1 -0.97270E+C0

25)-C.1402CE+01 -0.22501E+00 -0.17750E+01 -0.12743E+01 -0.95964E+00

11)-0.28556E+00 -0.10000E+C1 -C.10000E+01 -0.12341E+01 -0.96556E+00

17)-C.19995E+01 -0.10000E+01 -0.10000E+01 -0.13277E+G1 -0.95180E+C0
      THERE ARE 1 ACTIVE CONSTRAINTS CONSTRAINT NUMBERS ARE
                            O VICLATED CONSTRAINTS
      THEFE ARE
      THERE ARE
                             O ACTIVE SIDE CONSTRAINTS
       TERPINATION CRITERION
ABS(OBJ(I)-OBJ(I-1)) LESS THAN DABFUN FOR 3 ITERATIONS
      NUMBER OF ITERATICAS = 12
      CEJECTIVE FUNCTION WAS EVALUATED
                                                                               114 TIMES
      CCASTRAINT FUNCTIONS WERE EVALUATED
                                                                               114 TIMES
      THIS RUN FEGUIRED 116 STRUCTURAL ANALYSES
      NUMBER OF SECONCS REQUIRED FOR EXECUTION = 2.79
      WEIGHT OF STRUCTURE GIVEN AREAS & LENGTHS WEIGHT= 0.587518+C3
       TCTAL WEIGHT INCLUCING FIXED MASSES TCTAL WEIGHT C. 83751E+03
JCIAT COCFDINATES
       ELEPENT INFORMATION FOR BAR ELEMENTS
       ELEPENT-JCINT RELATIONSHIPS
ELEMENT NODE 1 NOCE 2
       ELEMENT INFORMATION FOR FRAME ELEMENTS
       ELEPENT-JCIAT RELATIONSHIPS
 LAG NCCEL NCCE2 AREA LENGTH CHAR.DIM.1 CHAR.DIM.2 3 1 2 0.3329E+01 0.1000E+03 0.4839E+01 0.2190E+00 0.4839E+01 0.1558E+00
```

V. USER GUIDE

A. INTRODUCTION

In developing any computer code for engineering analysis, it is necessary to additionally develop concise, easily understood documentation. This SADX USER'S GUIDE is written to be easily understood by the user having only minimal knowledge of the FORTRAN language. The format follows that of the optimization code, COPES/CONMIN [Ref. 2].

This chapter is devoted to acquainting the user with the code and necessary input data.

B. DESIGN EXAMPLE

The simple example of a four-element combined truss/frame structure is used to demonstrate some of the features of the SADX program.

The structure is shown in Figure 5.1, and consists of two tubular frame elements along the x-axis with two truss braces to the y and z axes from the joint between the frame elements. A non-structural fixed mass is attached at the outboard end of the second frame element where two loads are applied.

C. SADX DATA

The SADX program reads data from unit 5 and writes output on unit 6. Units 30 and 40 are used as scratch files.

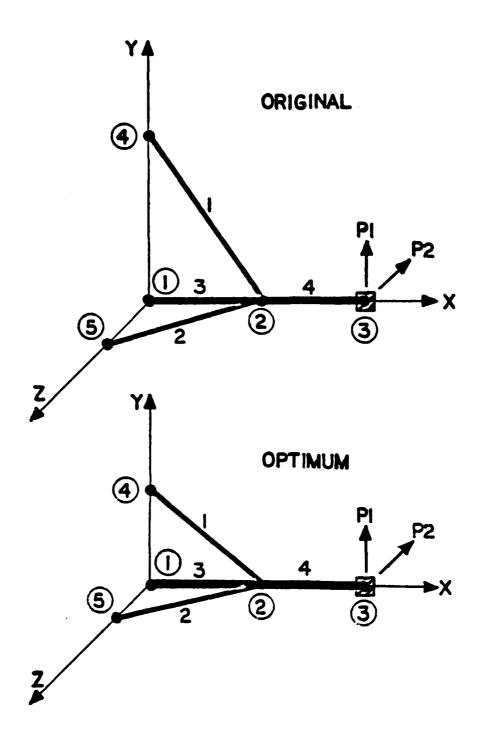


Figure 5.1 TRUSS-BRACED CANTILEVER BEAM

The scratch file numbers may be changed by changing two cards at the beginning of subroutine SADX01. The SADX program has the capability to read unformatted data. The following sections define the data which is required by SADX. The data is segmented into "BLOCKS" for convenience.

SADX data begins with a TITLE card and ends with a END card. Comment cards may be inserted anywhere in the SADX data stack prior to the END card, and are identified by a dollar sign (\$) in column 1. Data may be of either the "Il0" or "Fl0.0" type or may be free-format separated by commas with no imbedded blanks. Lines of formatted and unformatted data may be intermixed.

1. Formatted Data

Formats are of "I10" and "F10.0" type. "I" formats must be right justified, and "F" formats must have the decimal point. The number of cards read per data block is listed at the bottom of each block.

2. Unformatted Data

while the USER'S MANUAL data sheet defines SADX data in formatted fields of ten, the data may actually be read in a simplified fashion by separating data by commas or one or more blanks. If more than one number is contained on an unformatted data card, a comma must appear somewhere on the card. If exponential numbers such as 2.5+10 are read on an unformatted card, there must be no imbedded blanks. Unformatted cards may be intermingled with formatted cards. Real numbers on an unformatted card must have a decimal point.

EXAMPLES

Unformatted data

5,7,3.2,1.3+6,-5,2

Equivalent formatted data

col	10	20	30	40	50	60	70	80
-	5	7	3.2	1.3+6	- 5	0	2	

Unformatted data

2

2,3

2 3

Equivalent formatted data

col	10	20	30	40	50	60	70	80
	2							· · · · · · · · · · · · · · · · · · ·
	2	3						

2 3

NOTE: The third line of data contains no commas and is therefore assumed to be already formatted.

Placement of more than eight unformatted data on a card will create two (or more) formatted cards as required. Fields of zeros will be created if more data are required than are filled on an unformatted card.

D. CONSTRAINTS

Constraints are calculated and stored in the G vector as listed in the following chart. The total number of constraints

NCON=NFREQ+2*NDSPLC+NLC*(2*NEB + 4*NEF + NEB + 2*NEF)
freq displ stress stress buckl buckl

Where NCON is the total number of constraints, NFREQ is the number of frequency constraints, NDSPLC is the number of displacement constraints, NLC is the number of load cases imposed, NEB is the number of bar or truss elements, and NEF is the number of frame elements. When any of the constraints are missing from the G vector, all constraints are moved up in the vector. For example, if there is no frequency constraint, then a displacement constraint would fill the first location of the G vector.

CONSTRAINTS ARE STORED IN THE G VECTOR IN THE FOLLOWING ORDER:

NFREQ FREQUENCY CONSTRAINTS

2*NDSPLC JOINT DISPLACEMENT CONSTRAINTS

STRESS CONSTRAINTS ARE STORED ELEMENT BY ELEMENT

FOR A GIVEN ELEMENT CONSTRAINTS ARE STORED BY LOAD CASE

FOR A GIVEN TRUSS ELEMENT AND LOAD CASE,

CONSTRAINTS ARE STORED:

TENSILE STRESS LOWER LIMIT

TENSILE STRESS UPPER LIMIT

EULER BUCKLING STRESS LIMIT (IF APPLICABLE)

FOR A GIVEN FRAME ELEMENT AND LOAD CASE,

NORMAL STRESS AT LOW NODE LOWER LIMIT

NORMAL STRESS AT LOW NODE UPPER LIMIT

NORMAL STRESS AT HIGH NODE LOWER LIMIT

CONSTRAINTS ARE STORED:

NORMAL STRESS AT HIGH NODE UPPER LIMIT
EULER BUCKLING STRESS LIMIT (IF APPLICABLE)
LOCAL BUCKLING STRESS LIMIT (IF APPLICABLE)

E. EXAMPLE

The initial configuration of the braced cantilever beam is shown in Figure 5.1 Stress constraints are imposed as well as constraints on Euler and local buckling, displacement, and first fundamental frequency. A non-structural fixed mass is applied at the tip of the beam, and two load conditions (Pl, and P2) are imposed. The structure's own weight will be considered as an imposed load as will be the fixed mass.

The linking of design variables is demonstrated by linking the mean diameters of the two frame members (Dl, and D2 with Dl=D2). Member size variables are: truss member areas (Al, and A2), frame member mean diameters (Dl, and D2), and frame member thicknesses (Tl, and T2). Member sizing DESIGN VARIABLES are: XA(1)=Al, XA(2)=A2, XA(3)=Dl=D2, XA(4)=Tl, XA(5)=T2.

Geometry variables are the attachment points (joints 4 and 5) of the two truss members on the y and z axes (Y4,Z5). Coordinate DESIGN VARIABLES are: XC(1)=Y4 and XC(2)=Z5. The structure's weight is then optimized with respect to member sizes and structure geometry for a total of seven design variables.

1. Properties/Conditions

Two material types are used: type 1, aluminum, is used for the truss members; and type 2, steel, is used for the frame members. The weight densities of the materials (o) are:

type $l = 0.1 lb/in^3$

type 2 = 0.3 lb/in^3

The Young's moduli of the materials (E) are:

type 1 E = 10.0E+6 psi

type 2 E = 29.0E+6 psi

The non-structural fixed mass attached at the tip of the structure weights 250 lb. The applied loads are:

Pl 1000.0 lb in the +y direction

P2 1000.0 lb in the -z direction

The acceptable maximum normal stresses are:

type 1 -25000 psi $\leq \sigma_{\text{max}} \leq$ 25000 psi

type 2 -36000 psi $\leq \sigma_{max} \leq$ 36000 psi

Displacement limits, imposed upon joint number 3 (the tip)

for each load case in the direction of loading, are:

load case 1 y-direction +/- 3.0 in.

load case 2 z-direction +/- 3.5 in.

Bounds, placed on the positions of joints 4 and 5 along the y and z axes, are:

joint 4 y-coordinate 0.0 inches to 200.0 inches

joint 5 z-coordinate 0.0 inches to 100.0 inches

The minimum natural frequency of the structure is constrained to be greater than 1Hz.

2. Input Control Parameters

The following input control parameters are given for ease of following the example:

NEB=2	NEF=2	NJ=5	NCJ = 3
NMT=2	IDVCLC=2	NDJ = 2	NEUBC=1
LBUCK=1	NFREQ=1	NFMASS=1	NEIG=1
NEIG1=2	NPRI=0	NLC=2	NDSPLC=2
NSTRES=2	NSTW=1	NFMW=1	

Table VI is a listing of commonly used nomenclature.

The following USER'S MANUAL is divided into blocks A through P. Appearing directly below each data field line are the parameters for the TRUSS-BRACED CANTILEVER BEAM example. It is important to note that the user may choose any consistent system of units.

TABLE VI

COMMON VARIABLE NOMENCLATURE

```
MEMBER'S CROSS-SECTIONAL AREA
LOWER BOUND ON DISPLACEMENTS
UPPER BOUND ON DISPLACEMENTS
CHARACTERISTIC DIMENSIONS FOR FRAME MEMBERS
FOR LSECT.EQ. 1: MEAN DIAMETER AND THICKNESS
DIRECTION 1=X, 2=Y, 3=Z, 4=rot about x,
YOUNGS MODULUS
CONVERGENCE TO LERANCE OF EIGENVALUE
  BL
  CHARDIM 1, 2-
  DIR
E - YOUNGS MODULUS

EPSEIG - CONVERGENCE FOLERANCE OF EIGENVALUE

SOLUTIONS (DEFAULT=.0001)

FC1...FCN- LOWER BOUND ON FIRST, SECOND, ETC.

SYSTEM NATURAL PREQUENCY

FX - LOAD FORCES APPLIED IN THE X DIRECTION

FY - LOAD FORCES APPLIED IN THE Z DIRECTION

FZ - LOAD FORCES APPLIED IN THE Z DIRECTION

GRAV - ACCELERATION DUE TO GRAVITY (DEFAULT= 386.4)

IDVCLC - THE OPTIMIZATION OPERATION IDENTIFIER

1 FOR OPTIMUM MEMBER SIZE ONLY

2 FOR BOTH OPTIMUM MEMBER SIZE AND GEOMETRY

3 FOR OPTIMUM GEOMETRY ONLY

IX - CONSTRAINT IDENTIFIER. IF NON-ZERO THE X-DOF

IS CONSTRAINT IDENTIFIER. IF NON-ZERO THE Y-DOF

IS CONSTRAINT IDENTIFIER. IF NON-ZERO THE Z-DOF

IS CONSTRAINT IDENTIFIER. IF NON-ZERO THE Z-DOF
                                                                              CONSTRAINT IDENTIFIER. IF NON-ZERO THE Z-DOP
  ΙZ
                                                                            CONSTRAINT IDENTIFIER. IF NON-ZERO THE Z-DOF IS CONSTRAINED

CONSTRAINT IDENTIFIER. IF NON-ZERO THE ROTATION ABOUT THE X-AXIS IS CONSTRAINED

CONSTRAINT IDENTIFIER. IF NON-ZERO THE ROTATION ABOUT THE Y-AXIS IS CONSTRAINED

CONSTRAINT IDENTIFIEE. IF NON-ZERO THE ROTATION ABOUT THE Z-AXIS IS CONSTRAINED

JOINT NUMBER (GLOBAL)

KEULER- EULER BUCKLING COEFFICIENT FOR BAR ELEMENTS
  IXX
  IYY
  IZZ
  JN
                                                                             ELEMENTS
LOCAL BUCKLING CONSTRAINT IDENTIFIER
IF LEUCK.NE.O, LOCAL BUCKLING CONSTRAINTS
WILL BE APPLIED TO TUBULAR FRAME MEMBERS
  LBJCK
                                                                           WILL BE APPLIED TO TUBULAR FRAME MEMBERS
LOAD CONDITION
LUMPED MASS OPTIONS
IF LMASS.EQ.O CONSISTENT MASS MATRIX USED
IF LMASS.NE.O LUMPED MASS MATRIX USED
ELEMENT NUMBER
CROSS-SECTION TYPE IDENTIFIER
LSECT.EQ.1 INDICATES A TUBULAR MEMBER
THE NUMBER OF CONSTRAINED JOINTS
THE NUMBER OF JOINTS WITH (OR LINKED TO)
DESIGN VARIABLES
TRUSS MEMBER AREA DESIGN VARIABLE NUMBER
COORDINATE DESIGN VARIABLE NUMBER
FRAME MEMBER CHARACTERISTIC DIMENSION 1
DESIGN VARIABLE NUMBER
FRAME MEMBER CHARACTERISTIC DIMENSION 2
DESIGN VARIABLE NUMBER
 LC
LM ASS
  LNO
LS ECT
 ND SG 1
ND SG 2
ND SG 3
   ND SG 4
```

```
THE NUMBER OF DISPLACEMENT CONSTRAINT SETS
THE NUMBER OF TRUSS ELEMENTS
THE NUMBER OF TRUSS ELEMENTS
THE NUMBER OF FRAME ELEMENTS
NUMBER OF PRECISE EIGENVALUES TO BE FOUND
NUMBER OF PRECISE EIGENVALUES TO BE FOUND
NUMBER OF PRECISE FIGENVALUE PRICES
EVALUATED DEFAULT = MIN (2*NEIG, NEIG+8)
EULER BUCKLING CONSTRAINT IDENTIFIERS.

IF NEUBC.NE.O EULER BUCKLING CONSTRAINTS
WILL BE IMPOSED ON BAR AND FRAME ELEMENTS

NUMBER OF NON-STRUCTURAL FIXED MASSES

FIXED MASS WEIGHT IDENTIFIER

IF (NFW.NE.O) FIXED MASSES WILL BE
CONSIDERD AS LOADS

NUMBER OF FREQUENCY CONSTRAINTS
NUMBER OF FREQUENCY CONSTRAINTS
NUMBER OF FREQUENCY CONSTRAINTS
NUMBER OF LOAD ING CONDITIONS
NUMBER OF LOAD ING CONDITIONS
NUMBER OF LOAD DO JOINTS FOR THIS LOAD CONDITION
NUMBER OF LOAD DO JOINTS FOR THIS LOAD CONDITION
NUMBER OF SEPARATE MAIERIAL TYPES

NUMBER OF LOAD DO JOINTS FOR THIS LOAD CONDITION
IF NPRI. NO. O INPUT VALUES AT NOT PRINTED

IF NPRI. NO. O INPUT VALUES AT NOT PRINTED

IF NPRI. 20. 5 LOCI/LOCR/IA/RA ARRAYS PRINTED

IF NSTRES. EQ. 1 MEMBER FORCES PRINTED

IF NSTRES. EQ. 2 BOTH AT PRINTED

THE FORCE/STRESS PRINT IDENTIFIER

IF NSTRES. EQ. 2 BOTH AT PRINTED

THE NSTRES. EQ. 2 BOTH AT PRINTED

MILL BE CONSIDERED AS LOADS

TORSIONAL MOMENT APPLIED ABOUT THE X-AXIS
TORSIONAL MOMENT APPLIED ABOUT THE X-AXIS
TORSIONAL MOMENT APPLIED ABOUT THE Z-AXIS
TORSIONAL MOMENT APPLIED ABOU
   NDSPLC
 NEB
NEP
NEIG
   NEIG1
 NEUBC
     NF MASS
     NF MW
     NFREO
     NI D
 NIC
NLJ
     TMK
   NPRI
     NSTRES
 NSTW
 POISSN
RHO
 SIGNIN
SIGNAX
TX
TY
TZ
XA
XA
XA
XA
XA
XC L
XC L
```

DATA BLOCK A

DESCRIPTION: Title Card

Format and Example

TITLE

FORMAT 20A4

TRUSS-BRACED CANTIL EVER BEAM

FIELD

CONTENTS

1 ANY 80 CHARACTER TITLE MAY BE GIVEN ON THIS LINE

<u>DATA BLOCK</u> B

DESCRIPTION: Control Parameters

Format and Example

n eb	nef	ŊJ	NCJ	TMN	IDVCLC	NDJ	FORMAT 7I10
2	2	5	3	2	2	2	
NEUBC	LBUCK	NPREQ	NFM ASS	NEIG	NEIG1	NPRI	format 7I10
1	1	1	1	1	2	0	
							_
NLC	N DSP LC	NSTRI	es nsiw	np m			FORMAT 5I10

NOTE: DEFINITIONS OF PROGRAM INPUT CONTROL FARAMETERS ARE LISTED ON NEXT PAGE

<u>PIELD</u> <u>CONTENT</u>	
FIRST CARD	
1 NEB-number of bar elements	
2 NEP-number of frame elements	
3 NJ-number of joints	
4 NCJ-number of constrained joints	
5 NMT-number of seperate material types	
6 IDVCLC-design variable control parameter	
If (IDVCLC.EQ.1) NDV=NDVAR1	
optimizes wrt member size only	
If (IDVCLC.EQ.2) NDV=NDVAR1+ NDVAR2	
optimizes wrt member size and geometry	
If (IDVCLC.EQ.3) NDV=NDVAR2	
optimizes wrt geometry only	
7 NDJ-total linked and design variable join	ts
(i.e. number of 'movable' joints)	
SECOND CARD	
1 NEUBC-Eular buckling constraint identifie	•
If (NEUBC.NE.O) EULER buckling constrain	
will be imposed on bar elaments	
2 LBUCK-local buckling constraint identifie	<u>-</u>
If (LBUCK.NE. 0) local buckling constrain	
will be imposed on tubular frame elemen	
3 NFREQ-number of frequency constraints	
4 NFMASS-number of fixed masses attached to	
structure	
5 NEIG-number of precise eigenvalues to	
be evaluated	

- 6 NEIG1-number of eigenvalues to be evaluated DEFAULT=min. of (2*NEIG , NEIG+8)
- 7 NPR1-print control identifier
 NPR1.ne.0 input info not printed
 NPR1.eq.5 RA/IA/LOCR/LOCI arrays
 will be printed for debugging

THIRD CARD

1 NLC-number of load conditions

- 2 NDSPLC-number of displacement constraints
- 3 NSTRES-force/stress print identifier

 If (NSTRES.EQ.0) stresses are printed

 If (NSTRES.EQ.1) forces are printed

 If (NSTRES.EQ.2) both are printed
- 4 NSTW-structure weight identifier

 If (NSTW.NE.O) the structure's weight is

 considered as loads
- 5 NFMW-fixed mass weight identifier

 If (NFMW.NE.0) the fixed masses are

 considered as loads

DATA BLOCK C

DESCRIPTION: Dynamic Analysis Information

Format and Example

GRAV	EPSEIG		FORMAI
			I10,2F10.0
86.4	0.0		
{	36.4	36.4 0.0	

PIELD

CON TENTS

- 1 LMASS-lumped mass option (if LMASS.NZ.0) the lumped mass matrix is used.
- 2 GRAV-accleration due to gravity (default=386.4 inches/sec2)
- 3 EPSEIG-convergence tolerance on eigenvalue solution. (default=.0001)

DATA BLOCK D

<u>DESCRIPTION</u>: Joint Coordinates

Format and Example

JN	X	Y	2	FORMAT I10,3F10.0
1	0.0	0.0	0.0	
2	100.0	0.0	0.0	
3	200.0	0.0	0.0	
4	0.0	150.0	0.0	
5	0.0	0.0	50.0	

FIELD

CONTENTS

- 1 JN-joint coordinate number
- 2 X-x coordinate
- 3 Y-y coordinate
- 4 Z-z coordinate

NOTE: Number of cards real=NJ

DATA BLOCK E

Omit this block if NDJ=0 in BLOCK B

DESCRIPTION: Coordinate Design Variable Linking Data

Format and Example

JN	IX	IY	IZ	PCX	PCI	PCZ	FORMAT 4110,3f10.0
4	0	1	0	1.0	1.0	1.0	
5	0	0	2	1.0	1.0	1.0	

<u>PIELD</u> <u>CONTENTS</u>

- 1 IX-design variable associated with x coord.
- 2 IY-design variable associated with y coord.
- 3 IZ-design variable associated with z coord.
- 4 PCX-participation coefficient of x-coord.
- 5 PCY-participation coefficient of y-coord.
- 6 PCZ-participation coefficient of z-coord.

NOTE: Number of cards read=NDJ

DATA BLOCK F

DESCRIPTION: Material Properties

Format and Example

E	RHO	SIGMIN	SIGMAX	KEULER		FORMAT 6F10.0
1. 0E+7	0.1	-25000.	25000.	2.0	0.27	
2.9E+7	0.3	-36000.	3 60 00 .	2.0	0.27	

FIELD

CONTENTS

- 1 E-Young's Modulus
- 2 RHO-material density
- 3 SIGMIN-minimum allowable stress
- 4 SIGMAX-maximum allowable stress
- 5 KEULER-Euler buckling coefficient
- 6 POISSN-Poisson's ratio

NOTE: Number of cards read=NMT

DATA BLOCK G

Omit this block if NEB=0 in BLOCK B

DESCRIPTION: Bar Element Information

Format and Example

LNC	NODE 1	NODE2	DCCTAM	ndsg1	A	LSECT	FORMAT 5110 £10,110
3	2	4	1	1	3.0	1	
2	2	5	1	2	3.0	1	

FIELD

CONTENTS

- 1 LNO-element number
- 2 NODE1-global number associated with the element's 1st node
- 3 NODE2-global number associated with the element's 2nd node
- 4 MATCOD-material type of this element
- 5 NDSG1-design variable number associated with this element's area
- 6 A-member cross-sectional area
- 7 LSECT-cross-section type identifier LSECT.EQ.1 indicates a tubular member

NOTE: Number of cards read=NEB

	DATA BLOCK H										
	Omit this block if NEF=0 in BLOCK B										
	<u>DESCRIPTION</u> : Frame Element Information Format and										
	Example										
	LNO	NODE 1	NODE 2	MATCOD	NDSG3	NDSG4	LSECT	FORMAT			
				}			1	7110			
!								<u>_</u>	ı		
	3	1	2	2	2	4	1				
;	ادوسسسا دوسسسسا		المستحد			<u></u>	L	<u></u>	ı		
1	CHARD	EM 1 CH	ARDIM2			-		FORMAT	<u> </u>		
	İ							2F10	! !		
	5.0		1 0	<u> </u>				<u> </u>			
	5. U		1.0								
1	4	2	3	2	3	5		1			
					,	,	'	•			
1	5.0		1.0	ì				•			
				i							
	FIEL	_			CONTE	<u>IIS</u>					
	1			ent numi		_					
	2		_	obal num		ssocia	ted win	th the			
	•			t's 1st			Å	_			
	3		_	obal num		ssociat	ted wi	th the			
	"			t's 2nd			•				
	4			aterial							
	5			-				ciated w			
	6							c dimens ciated w			
	v			-				ciated w c limens			
	7			ement's Oss-seci					lon		
	•			EQ.1 ind	_						
	N (of cards			,	nem we			
ı		, 		/							

DATA BLOCK I

DESCRIPTION: Joint Constraint Information

Format and Example

JN	IX	IĀ	IZ	IXX	IYY	IZZ	FORMAT 7110
1	1	1	1	1	1	1	
2	0	0	0	0	0	0	
3	0	0	0	0	o	0	
4	1	1	1	1	1	1	
5	1	1	1	1	1	1	

<u>FIELD</u>

CONTENTS

- 1 JN-joint number
- 2 IX- x-displacement constraint identifier.
- 3 IY- y-displacement constraint identifier.
- 4 IZ- z-displacement constraint identifier.
- 5 IXX- x-axis rotation constraint identifier.
- 6 IMY- y-axis rotation constraint identifier.
- 7 IZZ- z-axis rotation constraint identifier.

if .NE.0 - corresponding DOF constrained

NOTE: Number of cards read=NCJ

	<pre>DATA BLOCK J Omit this block if NLC=0 in BLOCK B. DESCRIPTION: Joint Loading Information</pre>						
Forma	t and 1	Example					
NLJ							
1							
JN	PX	ΡY	FZ	ΤX	ΓY	TZ	FORMAT I10,6F10
2	0.0	1000.	0.0	0.0	00	0.0	
1							
2	2 0.0 0.0 -1000. 0.0 0.0 0.0						
FIEL	FIELD CONTENT						
1		J-numbe:		aded jo	oints :	for th	is load
1		condition - joint					
2	FX						
3	3 FY- Forces in the X,Y,Z directions						
4 7Z							
5	5 TX						
	6 TY- Moments about the X,Y,Z axes						
7 TZ							
NOTE: Number of cards read per set=NLJ Number of sets of cards read=NLC							

DATA BLOCK K

Omit this block if NFMASS=0 in BLOCK B

DESCRIPTION: Fixed Mass Information

Format and Example

JN	MASS	FORMAT
		I10,F19
		·····
3	250.0	

FIELD

CONTENIS

- 1 JN-joint number
- 2 MASS-point mass at joint (JN) in force units

NOTE: Number of cards read=NFMASS

DATA BLOCK L

Omit this block if IDVCLC=3

Format and Example

XA (1)	XA (2)		XA (NDVAR	1)	FORMAT
					8F10.0
					<u> </u>
20.0	20.0	20.0	2.0	2.0	
			<u> </u>	<u> </u>	<u>_</u>
XAL (1)	XAL (2)	• • • •	XAL (NDVAR	1)	FORMAT
					8F10.0
0.50	0.50	4.0	0.10	0.1	0
			·		J
XAU (1)	XAU (2)	• • •	XAU (NDVAR	1)	FORMAT
					8F10.0
السيسيسية					
25.0	35.0	25.0	2.5	4.0	
<u> </u>	——————————————————————————————————————	<u> </u>	ONTENTS	<u> </u>	

- 1 XA-initial value of area design variables
- 2 XAL-lower bounds on area design variables
- 3 XAU-upper bounds on area design variables

NOTE: read one value of XA, XAL, XAU for each independent member size variable defined in BLOCKS G and H

Number of cards read = as required

DATA BLOCK M

Omit this block if IDVCLC=1

Format and Example

XC (1)	XC (2)	XC (NDVAR2)	FORMAT 8F10.0
150.0	50.0		
XCL (1)	XCL (2)	XCL (NDVAR2)	FORMAT 3F10.0
0.0	0.0		
XCU (1)	XCU (2)	XCU (NDVAR2)	FORMAT SF10.0
200.0	100.0		

FIELD

CONTENTS

- 1 XC-initial value of coord. design variables
- 2 XCL-lower bounds on coord. design variables
- 3 XCU-upper bounds on coord. design variables

NOTE: read one value of XC, XCL, XCU for each independent coord. variable defined in BLOCK D

Number of cards read =as required.

DATA BLOCK N

Omit this block if NDSPLC=0 in BLOCK B

<u>DESCRIPTION</u>: Joint Displacement Constraint Information

Format and Example

JN	DIR	LC	9L	30	FORMAT 3110,2P10.0
3	2	1	-3.0	3.0	
3	3	2	-3.5	3.5	<u></u>

FIELD

CONTENTS

- 1 JN-joint number
- 2 DIR-direction

1=x,2=y,3=z lisplacement

4=x,5=y,6=z rotation

- 3 LC-load condition
- 4 BL-lower bound on displacement
- 5 BU-upper bound on displacement

NOTE: Number of cards read= NDSPLC

DATA BLOCK O

Omit this block if NFREQ=0 in BLOCK B

<u>DESCRIPTION</u>: Frequency Constraint Information

Format and Example

PC1	FC2	FC3	FCN	FORMAT
				8F10.0
				<u> </u>

1.0

FIELD

CONTENTS

- 1 FC1- lower bound on first natural frequency constraint in Hz. (cycles per second)
- N FCN- lower bound on NFREQ-th natural frequency constraint in Hz. (cycles per second)

NOTE: Number of cards read = as required

DATA BLOCK P

DESCRIPTION: End card

Format and Example

END FORMAT
3A1

END

NOTE: This card MUST appear at the end of the SADK data.

VI. NUMERICAL EXAMPLES

A. INTRODUCTION

Design of three-dimensional truss and frame structures are presented herein and the corresponding numerical results are summarized to demonstrate the use of the SADX code.

The examples begin with the truss-braced cantiliver beam.

B. EXAMPLE 1: TRUSS-BRACED CANTILIVER BEAM

The simple truss-braced cantiliver beam, as shown in Figure 6.1, has been previously used for the SADX USER's MANUAL example. It consists of two steel tubular frame members with a common outer diameter and different wall thicknesses arranged as a cantilever beam along the X-axis. There is a fixed 250 pound mass at the tip of the beam. Two aluminum truss members are attached from the beam midpoint to points on the Y and Z axes. This structure is designed for optimum member size and geometry under a set of two load conditions and subject to constraints on maximum stress, maximum joint displacement, Euler and local buckling, and minimum structure natural frequencies. The weight of the non-structural fixed mass and the structure's own weight are imposed as loads. There are five member size and two coordinate design variables, and a total of 41 constraints.

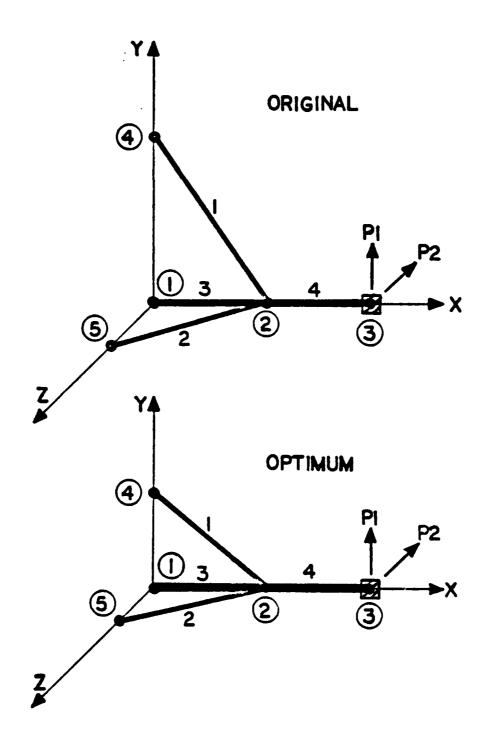


Figure 6.1 TRUSS-BRACED CANTILEVER BEAM

The number of analyses required for this design is 116 using 2.75 seconds of CPU time and terminating on the 12th iteration. Of the analyses conducted, 84 were required for the calculation of gradients. The weight of the structure, including non-structural fixed masses, is reduced from 9542 pounds to 838 pounds. Results are given in Table VII.

C. EXAMPLE 2: TWO-TIER 3-D PORTAL FRAME WITH TRUSS X-BRACES The two-tier three-dimensional portal frame with truss member diagonal braces, as shown in Figure 6.2, is a symmetric moderately sized case that can be analyzed easily by a variety of other codes. There are 20 truss elements, 16 frame elements, and four non-structural fixed masses. The material used is steel. This structure is designed for optimum member size and geometry under a set of three load conditions and subject to constraints on maximum stress, maximum joint displacement, Euler and local buckling, and minimum structure natural frequencies. The weight of the non-structural fixed masses and the structure's own weight are imposed as loads. There are 10 member size and five coordinate design variables and a total of 493 constraints. The number of analyses required for this design is 385 using 120 seconds of CPU time and terminating on the 21st iteration. Of the analyses conducted, 305 were required for the calculation of gradients. The weight of the structure, including non-structural fixed masses, is reduced from 9302 pounds to 1462 pounds. Results are given in Table VIII.

TABLE VII

```
EXAMPLE 1: FINAL OPTIMIZATION INFORMATION
   FINAL OPTIPIZATION INFORMATION
     OBJ = C.5E75G7E+C3
     THEFE ARE 1 ACTIVE CONSTRAINTS CONSTRAINT NUMBERS ARE
    THEPE ARE
                   O VICLATED CONSTRAINTS
                   O ACTIVE SIDE CONSTRAINTS
     TERMINATION CRITERION
ABS(OBJ(11-OBJ(1-1)) LESS THAN DABFUN FOR 3 ITERATIONS
    NUMBER OF ITERATIONS = 12
    CEJECTIVE FUNCTION WAS EVALUATED
                                                     114 TIMES
    CCNSTRAINT FUNCTIONS WERE EVALUATED
    THIS RUN FEGUIRED 116 STRUCTURAL ANALYSES
    NUMBER OF SECONDS REQUIRED FOR EXECUTION = 2.79
    WEIGHT OF STRUCTUPE GIVEN AREAS & LENGTHS WEIGHT = 0.58751E+03
    TCTAL WEIGHT INCLUDING FIXED MASSES TCTAL WEIGHT= C.83751E+03
JCINT COCFDINATES
           0.0
0.1(CC0E+C3
0.2COC0E+G3
    ELEMENT INFORMATION FOR BAR ELEMENTS
    ELEMENT-JCINT RELATIONSHIPS
ELEMENT NODE 1 NOCE 2
    ELEMENT INFORMATION FOR FRAME ELEMENTS
    ELEPENT-JCINT RELATIONSHIPS
 EIGENVALUES AND EIGENVECTORS
MCDE NUPBER
FREQUENCY = C.41 98 EE+C2 CPS
C.26315E+C3 RPS
EIGENVECTOR C.6927GE+O5
EIGENVECTOR CEGREE OF FREEDOM
```

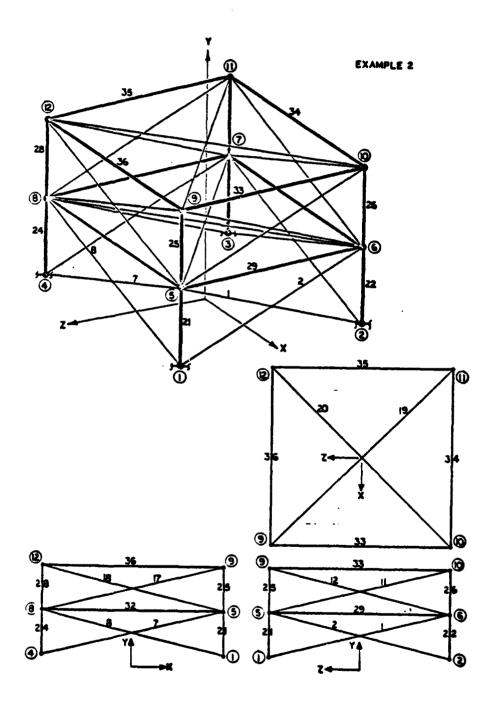


Figure 6.2 TWO-TIER 3-D PORTAL FRAME WITH TRUSS X-BRACES

TABLE VIII

EXAMPLE 2: FINAL OPTIMIZATION INFORMATION

FINAL OPTIMIZATION INFORMATION

OBJ = C.144183E+C4

THEFE ARE 3 ACTIVE CONSTRAINTS CONSTRAINT NUMBERS ARE 46 91 196

THERE ARE O VICLATED CONSTRAINTS

THEFE ARE 1 ACTIVE SIDE CONSTRAINTS DECISION VARIABLES AT LOWER OR UPPER BOUNDS (MINUS INCICATES LOWER BOUND)

TERMINATION CRITERION ABS(GBJ(I)-CBJ(I-1)) LESS THAN CABRUN FOR 3 ITERATIONS

NUMBER OF ITERATIONS = 21

OBJECTIVE FUNCTION WAS EVALUATED 383 TIMES

CCNSTRAINT FUNCTIONS WERE EVALUATED 383 TIMES

THIS RUN FEGUIRED 385 STRUCTURAL ANALYSES

NUMBER OF SECONES REQUIRED FOR EXECUTION = 120.7

WEIGHT OF STRUCTURE GIVEN AREAS & LENGTHS
WEIGHT = 0.1441 EE+C4

TCTAL WEIGHT INCLUCING FIXED MASSES TCTAL WEIGHT= C. 16418E+04

JEINT	T COCFDI	·	¥	7
1234567890112	0.61238 -0.6238 0.8623 -0.8623 -0.8623 -0.8623 -0.1600 -0.1600	0E+03	0.0 0.0 0.0 0.0 0.20000E+02 0.20000E+02 0.20000E+02 0.10000E+03 0.10000E+03 0.10000E+03	0.5C0 C2E+02 -0.900 02E+02 -0.9C0 C2E+02 0.900 C2E+02 0.900 C2E+02 -0.69074E+02 -0.69074E+02 0.69074E+02 0.1C0 C0E+03 -0.1C0 C0E+03 -0.1C0 C0E+03 0.100 00E+03
ELEMENT-	INFOPPAT:	I CN FCR L AT ICNSH	BAR ELEMENTS	
ELEMENT 12345567889101112211221122	NOD E Transit 4 In 65 to	NODE 2 577687758778109111	00000000000000000000000000000000000000	LENGTH 0.1612E+03 0.1612E+03 0.1465E+03 0.1465E+03 0.1612E+03 0.1612E+03 0.1465E+03 0.1465E+03 0.1465E+03 0.1465E+03 0.1881E+03 0.1881E+03 0.1881E+03

D. EXAMPLE 3: DD-963 FOREMAST

Example three is a redesign of the forward mast on the DD-963 of SPRUANCE class destroyer. The DD-963 foremast has been chosen as the third test case for the following reasons:

1) the structure is typical of the masts found on many combatants in the United States and other navies, 2) high top-side weight reduction is desirable from a stability viewpoint for any ship, 3) the structural members are predominantly tubular, 4) the problem is sufficiently complex to make conventional design methods cumbersome, 5) the member size and loading information is available.

The structure as shown in Figures 6.3 through 6.6 is constructed of 172 aluminum frame members. The material used in the structure is 5086 H32 aluminum, an alloy with moderate strength, good weldability, and good corrosion resistance.

This structure is designed for optimum member size under a single load condition and subject to constraints on maximum member stress, maximum joint displacement, Euler and local buckling.

Some structural simplifications are made. The weights of mast-mounted radars, antennas, and platforms are modeled by a series of fixed masses which are imposed as loads along with the structure's own weight. The forces due to halyards and wire antennas are applied as loads. Inertial forces due to ships motion are calculated for the initial design point

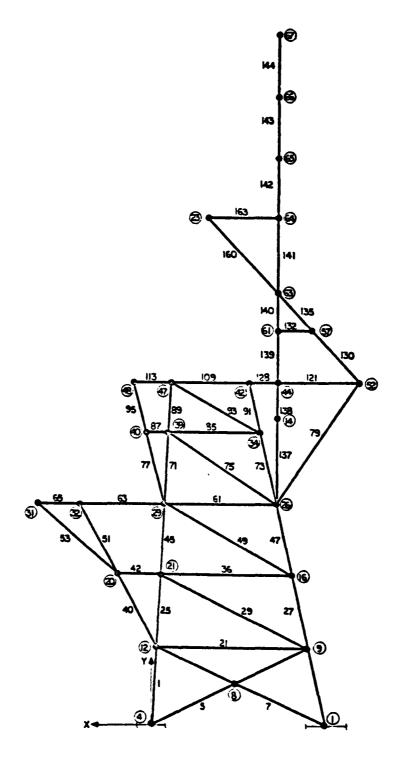


Figure 6.3 DD-963 FOREMAST PORT SIDE

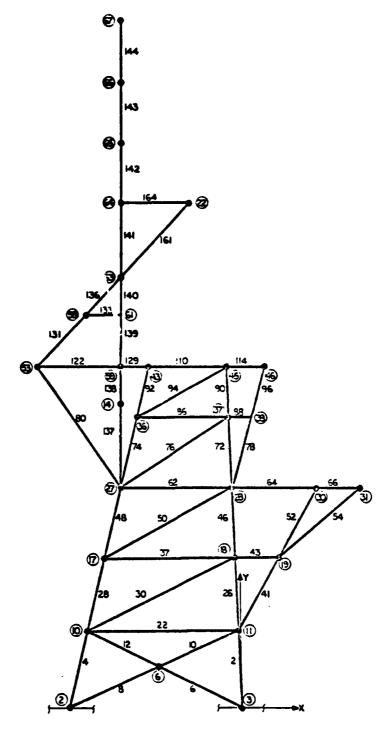


Figure 6.4 DD-963 FOREMAST STARBOARD SIDE

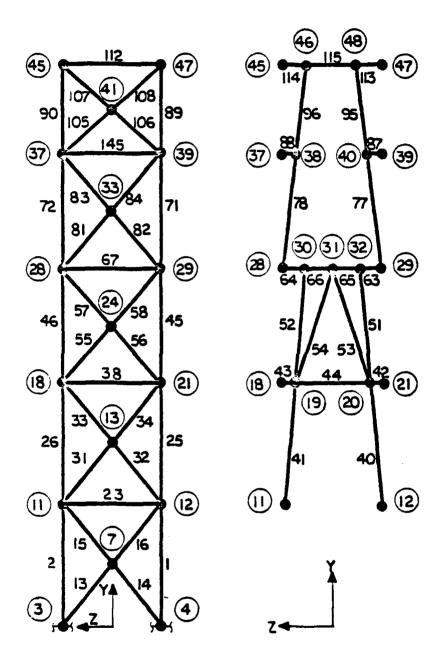


Figure 6.5 DD-963 FOREMAST FORWARD SIDE

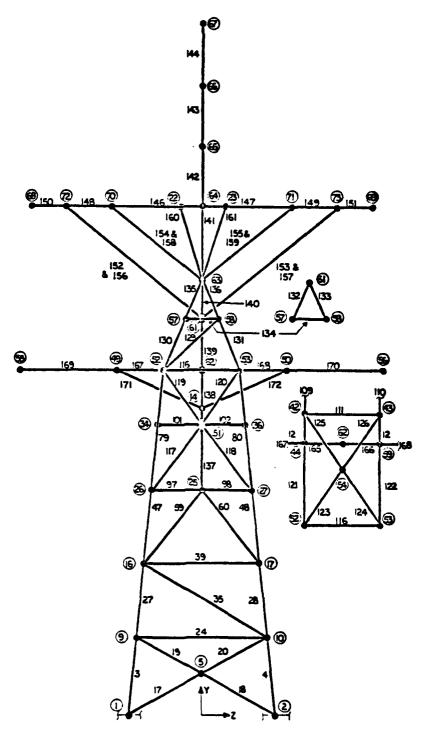


Figure 6.6 DD-963 FCREMAST AFT SIDE

and consist of the product of a member's half-weight and a coordinate-dependent load-factor applied at each end of the element [Ref. 6]. The load-factor multiplier is dependent on the distances from a point at the intersection of the design waterline and the ship centerline amidships (frame 264 1/2). Ship's motion loads are applied for a roll to port. In that the purpose of this example is only to attempt to solve a large and messy problem rather than to produce an actual design no attempt is made to include wind, shock, and blast loads. There are 34 member size design variables and a total of 1054 constraints. The number of analyses required for this design is 555 using 4482 seconds of CPU time and terminating on the 17th iteration. Of the analyses conducted, 544 were required for the calculation of gradients. The weight of the structure, including nonstructural fixed masses, is increased from 48,199 pounds to 56,746 pounds. The structure as modeled was initially infeasible due, most likely to the structural simplifications made in the topmast area. Results are given in Table IX.

TABLE IX

EXAMPLE 3: FINAL OPTIMIZATION INFORMATION

FINAL OPTIMIZATION INFORMATION

CEJ = C.3986C4E+05

THERE ARE 2 ACTIVE CONSTRAINTS CENSTRAINT NUMBERS ARE 660 866

THERE ARE O VICLATED CONSTRAINTS

THERE ARE C ACTIVE SIDE CONSTRAINTS

TEFMINATION CRITERION ABSOBJOINOBJOIN LESS THAN CABRUN FOR 3 ITERATIONS

NUMBER OF ITERATIONS = 17

CBJECTIVE FUNCTION WAS EVALUATED 553 TIMES

CONSTRAINT FUNCTIONS WERE EVALUATED 553 TIMES

THIS RUN FEQUIREC 555 STRUCTURAL ANALYSES

WEIGHT CF STRUCTURE GIVEN AREAS & LENGTHS WEIGHT = 0.39860E+05

TCTAL WEIGHT INCLUDING FIXED MASSES TCTAL WEIGHT = 0.56746E+05

NUMBER OF SECONDS REQUIRED FOR EXECUTION = 4482.46

NC. CF FFAME ELEMENTS = 172 ELEMENT-JCINT RELATIONSHIPS

012:145678901254567850123456785C12 N 111111111111122222222333	1 E431243128686347712559G1521509G12 C	2 CC11508686215677104456C2126124671841	222221111111111111111111112222211111111	######################################	12222211111111111111111111111111111111	No. No.
29 30 31 32	1¢ 11 12	16 13 13	0.7358E+01 0.7358E+01 0.7358E+01 0.7358E+01	0.2380 E+03 0.2380 E+03 0.6846 E+02 0.6846 E+02		

VII. CONCLUSIONS AND RECOMMENDATIONS

A. CONCLUSIONS

An existing finite element code was expanded to encompass the more general case of frame members; i.e., six degrees of freedom per joint. Combined truss and frame structures were designed for minimum weight with multiple load conditions considered.

The displacement method was used for static analysis and the subspace iteration method was used for eigenvalues.

Several examples were considered. In every case the code worked as an analysis tool, and significant weight reductions were obtained with the coupled optimizer CONMIN.

The SADX design code has been shown to be a useful tool for ship mast optimum design.

B. RECOMMENDATIONS

The following recommendations may be of value for future work.

- 1. The routines necessary to calculate gradients analytically should be added to the code.
- 2. The code should be extended to include plate and shear elements and a library of member cross-sections.
 - 3. An out of core equation solver should be added.

- 4. The ability to specify multipliers for applying inertial loads along the three coordinate axes should be added in a fashion similar to that used for applying structure's own weight as loads. Such an addition would simplify dynamic load analysis and design.
- 5. The method of gradient calculation should be dependent on specific gradients required [Ref. 7] and [Ref. 8].
- 6. Gradients of frequency constraints would benefit from a more efficient algorithm [Ref. 9].
- 7. The need for a large scale public structural optimization code still exists.
- 8. The code should be modified to allow optimum member size design followed by simultaneous optimum member size and optimum geometry design.

LIST OF REFERENCES

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 Fortran Program for Engineering Synthesis, NPS69-81-003,
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- 3. Przemieniecki, J. S., <u>Theory of Matrix Structural Analysis</u>, McGraw-Hill, New York, 1968.
- 4. Felix, J. and Vanderplaats, G. N., Configuration Optimization of Trusses Subject to Strength, Displacement and Frequency Constraints, proc. ASME Computer Engineering Conference and Exhibit, San Diego, August 15-19, 1982.
- 5. Bathe, K. J. and Wilson, E. L., <u>Large Eigenvalue</u>
 Problems in Dynamics Analysis, Journal of the Engineering Mechanics Division, ASCE, Vol. 93, June 1973, pp. 213-226.
- 6. BUSHIPS SKETCH Number 80064-128-SK4587979
- 7. Arora, J. S. and Haug, E. J., Methods of Design Sensitivity Analysis in Structural Optimization, AIAA Journal, Vol. 17, No. 9, Sept. 1979, pp. 970-974.
- Vanderplaats, G. N., "Comment on Method of Design Sensitivity Analysis in Structural Optimization," AIAA Journal, Vol. 18, No. 11, Nov. 1975, pp. 1406-1407.
- 9. Nelson, R. B., "Simplified Calculation of Eigenvector Derivatives," AIAA Journal, Vol. 14, No. 9, Sept. 1976, pp. 1201-1205.

APPENDIX A

DATA FILES

A. INTRODUCTION

This appendix contains the data files used to create the test cases in Chapter VI. Additionally the data file for the USER'S guide in complete form is presented.

TABLE X

DATA FILE TRUSS-BRACED CANTILEVER BEAM

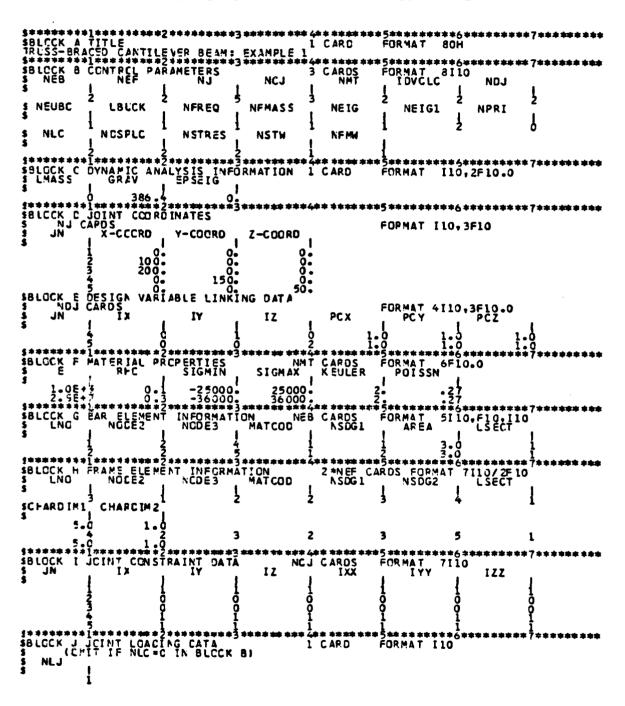


TABLE XI

DATA FILE TRUSS-BRACED CANTILEVER BEAM continued

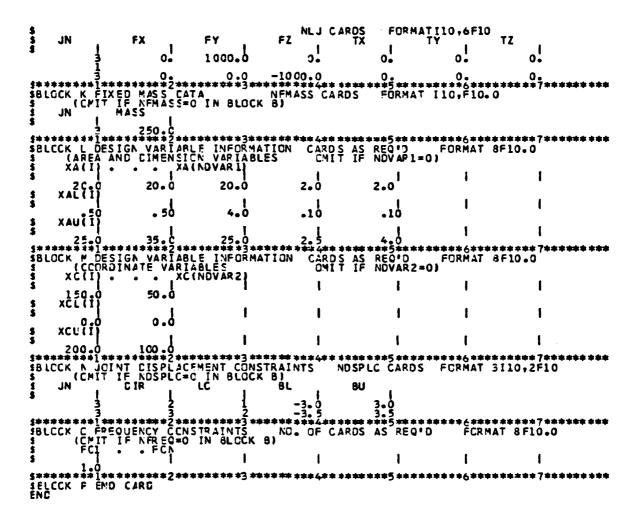


TABLE XII

DATA FILE TWO-TIER 3-D PORTAL FRAME

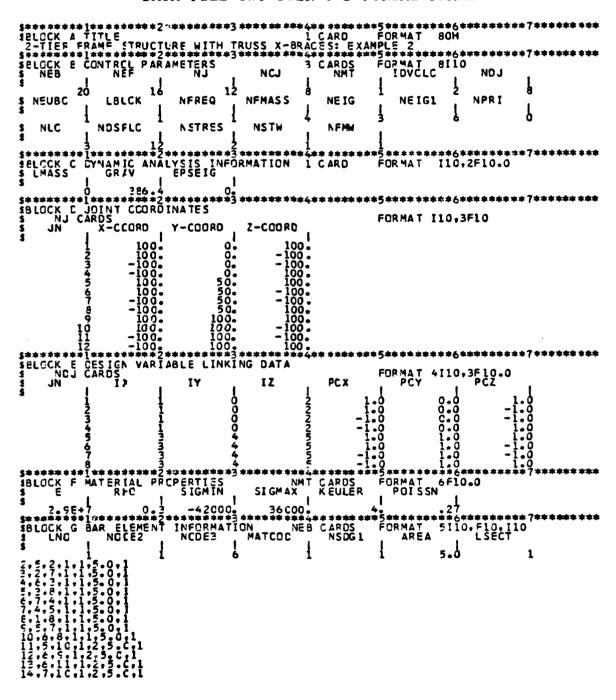


TABLE XIII DATA FILE TWO-TIER 3-D PORTAL FRAME continued

```
NO
21,1,5,1,3,4,1
                                                                                                               0.50
                                                                                                               0. 50
                                                                                                               0.50
                                                                                                               0.50
 27,7,11,1,5,6,1
                                                                                                               C. 50
                                                                                                               C. 50
21.7.8.1.7.8.1
22.8.5.1.7.8.1
                                                                                                              0.50
                                                                                                               0.50
23,9,1C,1,9,1C,1

24,10,11,1,9,1C,1

25,C

26,10,11,1,9,1C,1
35,11,12,1,9,10,1
26,12,5,0,10,10,50

26,12,5,0,10,10,10

25,00 C.50

25
                                                                                                                                                                                                                                     NCJ CARDS FORMAT 7110
                                                                                                                                                                                                                                                                                                                                                                                                                                                      IZZ
```

TABLE XIV

DATA FILE TWO-TIER 3-D PORTAL FRAME continued

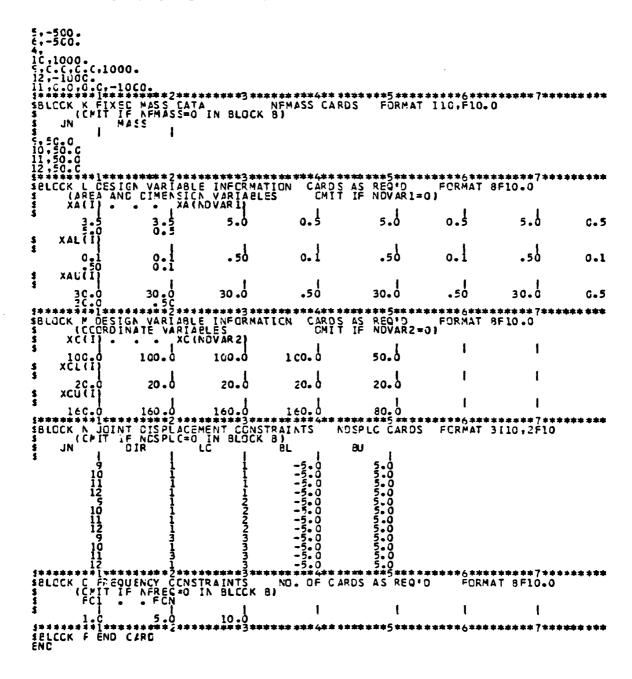


TABLE XV

DATA FILE DD-963 FOREMAST

```
#BLOCK A TITLE
CC-963 CLASS CESTROYER FORWARD MAST REDESIGN: EXAMPLE 1

* THIS IS A SIMPLIFICATION OF THE ACTUAL STRUCTURE AND LOADS BASED ON
NAVSHIPS DRAWING NUMBER 128-4535510 AND NAVSHIPS SKETCH NUMBER

* 80064-128-SM4587579

* THIS ANALYSIS RECLIBES A THE X-AXIS FORWARD, Y-AXIS UP, AND Z-AXIS
TO STBO: A CIFFERENT CRIENTATION THAN IN THE ABOVE DRAWINGS

* CCNT CL PARAMETERS
NEB NEF NJ NCJ NMT IDVCLC NDJ

* NEB NEF NJ NCJ NMT IDVCLC NDJ
                                LBLCK 172
                                                           NFREQ 73
                                                                                                                                                                                      ò
                                                                                                    2Ô
   $ NEUBC
                                                                                  NEMASS
                                                                                                               NEIG
                                                                                                                                         NE IG1
                                                                                                                                                                   NPRI
                                                                                                                                  0
                                                                                                                                                                                      l
                                                                                                    33
                              NDSFLC
                                                           NSTRES
```

TABLE XVI

DATA FILE DD-963 FOREMAST continued

490112314416789 S \$ NGDE 666666677777778	-172888.0000000000000000000000000000000000	492.00 492.00 492.00 492.00 492.00 492.00 600.00 F10 600.0	12000000000000000000000000000000000000			
\$BLOCK F MATE 2.7E+7 \$************************************	FIAL INF	************* Crpaticn		******5***** ,		
20757/ \$**********	******2*	-42000. ********3 ***:	42 COO.	4. ******5****	.27 ****6***	***** 7***
INC N	CCES	NCDE3 MA	TCOS NEB CA	4. ******5**** RCS FORMAT SCG1 ARE	5110,F1	0.110 ECT
********	* *****			[******5****	 ****6***	
SELCCK P PP H	ELEMENT	INFURMATION	LOWEST TI			•
11.75	. 75	12	i	ER OF QUADRA	2	1
11.75	. 75	11	1	1	2	1
11.75	75	9	1	1	2	1
11.75	75	10	1	1	2	1
7.625	.375	8	1	3	4	1
7.625	3	6	1	3	4	1
7	.375	8	1	3	4	1
7.625	.375	6	1	3	4	1
7.625	.375 8	12	1	3	4	1
7.625 10	.375	11	1	3	4	1
7.625	•375 _8	9	1	3	4	1
7 • 6 25 7 • 6 25 7 • 6 25	•375 6	10	1	3	4	1
7•625 13	.375	7	1	3	4	1
7.625 14	.375	7	1	3	, 6	1
7.625	•37 \$	11	1	3	4	1
7.625	•37 <u>\$</u>	12	1	3	4	1
7.625	•3 7 g	5	1	3	,	1
7•625 18	و 3 75	5	1	•	4	_
7.625	•37 5	,	. •	3	₩	1

TABLE XVII

DATA FILE DD-963 FOREMAST continued

19	5	9	1	3	4	1
7.625 20	.375	10	1	3	4	1
7.625 21	•3 75	9	1	3	4	1
7•625 22	•375 11	10	1	3	4	1
7.625 23	•375 11	12	1	3	4	1
7.625 24	.375	10	1	3	4	1
\$ ENC 1ST TIER	GF CUACRAPOO		2ND TIER	1	2	1
11.75	• 75	18	1	1	2	1
11.75 27	- 75	16	1	1	2	1
11-75	• 75 10	17	1	1	2	1
11.75	• 75	21	1	5	6	1
7.625	•375 10	18	1	5	6	1
7.625	•3 75 11	13	1	5	6	1
7.625	•3 7 5 12	13	1	5	6	1
7.625	•375 13	18	1	5	6	1
7.625	•375 13	21	1	5	6	1
7.625	•3 75 1 C	16	1	5	6	1
7.625	•375 21	16	1	7	8	1
7.625	•3 75	18	1	7	8	1
7.625	•3 7̄ S̄	21	1	7	8	1
7.625	•3 75 16	17	i	7	8	1
7.6ŽÉ	•375 12	20	1	7	8	1
11.625	•3 ?5	19	1	7	8	1
11.625	•3 75 20	21	1	7	8	1
7.625	•375 18	19	1	7	8	1
7.625	.3 75	20	1	7	8	1
\$ ENC THE 2ND	19 11ER CF THE		_	E 3RO TIER		_
11.75	21	CUADRAPO 29	1	1	2	1
46 11.7 <u>5</u>	18	28	1	1	2	1
11.75 11.75	16	26	1	1	2	1
11.75	17 75	27	1	1	2	1
49	16	29	1	9	10	1
7.625	.375 .375	28	1	9	10	1
7.625	77.20	32	1	7	8	1
11.625	.375 19 .375	30	1	7	8	1
11.625 7.625	•375 20 •375	31	1.	9	10	1

TABLE XVIII

DATA FILE DD-963 FOREMAST continued

	7.625	.375	31	3	Ļ	9	10	1
	7.625	•375 18 •375	24	1		9	10	1
	7.625	375	24	1	•	9	10	1
	7 - 625	375	28	1		9	10	1
	7.625	24	29	· 1		9	10	1
	11.50	įė	25	1		9	10	1
	11.50	17 50	25	1	•	9	10	1
\$	#EMBER 5 61 11.50	THRU 70 26	MGCEL THE	SPQ-9 PLA	TFCRM AL	CNG WITH	A FIXED	MASS 1
	62	27	28	1	•	11	12	1
	11.50	25	32	1		11	12	1
	11.50	28	30	1		11	12	1
	. 65	- 30	32	1		11	12	1
	11.50 66 11.50	31	30	1		11	12	1
	<i>£</i> 7	26	29	1		11	12	1
5	ELEMENTS 68	AND 69	ARE DUMMY	ELEMENTS 1		0	0	1
	.cç1	•00 0 î	60	1		0	0	1
	70	.0001	32	1		11	12	1
\$	ENC THE 3RD	TIEŘ ŠŎ	THE QUAD	RAPOC STAR		HITIER	_	_
	11.	• 75				1	2	1
	11.75	- 75	37	1		1	2	1
	11. 15	. 75	34	1		1	2	1
	11.45	- 75	36	1		1	2	1
	7.625	.375	39	1		13	14	1
	7.625	.3 75	27	1		13	14	1
	7.625	•3 \\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\	40	1		13	14	1
	7.625	•375	38	1		13	14	1
	7.625	.375	52	1		13	14	1
	7.625	•3 75	53	1		13	14	1
	7.425	.3 75	33	1		13	14	1
	7.6	.3 75	33	1		13	14	1
	7.625	.375	37	1		13	14	1
	7.625	.3 75	39	1		13	14	1
	7.623	.3 75	39	1		13	14	1
	7.6	.375	37	1		13	14	1
	7.625	.375	40	1		13	14	1
	88	•37	28	1		13	14	1

TABLE XIX

DATA FILE DD-963 FOREMAST continued

7.625 7.625	.375 53	54	1	15	16	1
160	.375 .42	54	1	15	16	1
7.625 126	•375 43	54	1	15	16	1
7.625	•3/5	44	1	15	16	1
128	.3 /3	59	1	15	16	1
\$ 7.625 ENC THE LOWER 129 7.625 120 7.625	•375 •375 •375 •375 •375 •375 •375 •375	TART THE	TOPMAST	MEMBERS		
7.625	•3 75 •3 75		1		18	1
7.625 121	-3 75	57	1	17	18	1
7.625	•37 <u>\$</u>	58	1	17	18	1
7.625	.375	61	. 1	17	18	1
7.625	•3 75 •3 75	61	1	17	18	1
7 • 625 134 7 • 625	.375	58	1	17	18	1
7.625 136	•375	63	1	17	18	1
7.625 136 7.645	.3 75	63	1	17	18	1
23. <u>C</u> 0	14 1.5	25	1	19	20	1
23.CO	14	62	1	19	20	1
139	62	61	1	19	20	1
140	61	63	1	19	20	1
141	1 63 1 5	64	1	19	20	1
142	64	65	1	21	22	1
9.50 143 5.50	. 5C	66	1	21	22	1
144	. 66 . 50	67	1	21	22	1
1145 7.625 UPPER YARDARMS	~ 3 7	39	1	13	14	1
\$ UPPER YARDARMS	.375 ANC BRACES .75	70	•	23	24	•
146 14.CC 147	• 75 64	71	1	23	24	1
14.CO	• 75 70	72	1	25 25	24	1
148 16.66 149	• 50	73	1		26	
16,66	• 50 72		1	25	26	1
10.00 10.00 10.00	• 50	68	1	25	26	:
10 1 2 1 10 1 5 2 7 • 6 2 3	• 50	69	1	25	26	1
7.635	•375	72	1	27	28	1
7. 625	-375	73	1	27	28	1
5.75	• 25	70	1	29	30	1
1 2 2 2 7 5	• \$ \$ \$	71	1	29	30	1
7.625 7.625 7.625	.375	72	1	27	28	1
7.625	•3 75 63	73	1	27	28	1
158	63	70	1	29	30	1

TABLE XX

DATA FILE DD-963 FOREMAST continued

7.625 \$ END THE 4RD	375	5 014004800	CT 1 0T	TUP		
89	TIER CF TH	E CUADRAPOC	1	THE STH TIER	2	1
11.75 90	• 47	45	1	1	2	1
11.75	• 73	42	1	1	2	1
11.75	• 75 36	43	1	1	2	1
11.75	• 75 34	47	1	15	16	1
7.625 94	•3 75 36	45	1	15	16	1
7.625	•375 40	48	1	13	14	1
7. <i>625</i> \$6	•375 38	46	1	13	14	1
7.625	•3 75 25	26	1	13	14	1
7.625	•3 7 5 25	27	1	13	14	1
7.625 7.625	•375 26	35	1	13	14	1
7.625 100	•375	35	1	13	14	1
7. 625	•3 7 5 3 4	35	1	13	14	1
7•625	-375	36	1	13	14	1
7. 225	-375	42	1	13	14	1
7.625	-3 75			13		
7.625	•3 7 5	43	1		14	1
7.625	-3 7 5	41	1	13	14	1
7.00	•375	41	1	13	14	1
7.67 7.67	.375	45	1	13	14	1
1C8 7.625 \$ MEMBERS 109	.375	47	1	13	14	1
\$ MEMBERS 109	42	DDEL THE SP	G-60 ₁ PL	ATFORM ALONG	WITH A FI	XED MASS
109 7.625 110	•375 43	45	1	15	16	1
7.625 111	•375 42	43	1	15	16	1
7.625 112	•37 <u>5</u>	47	1	15	16	1
7.625 113	•375 48	47	1	15	16	1
7.625 114	•3 75 45	46	1	15	16	1
7.ĕŽŠ	•3 75 48	46	1	15	16	1
7. 225	-3 75	53	1	15	16	1
7.625	.375	51	- 1	13	14	ī
7.625	.3 75	51	1	13	14	1
7.425	.3 7 5	51 51	1	13	14	1
7. 625	.375		_			
7.625	.3 7 5	51	1	13	14	1
7.625	.375	52	1	15	16	1
7.625	•3 75 •52	59	1	15	16	1
7.625 123	52	54	. 1	15	16	1

TABLE XXI

DATA FILE DD-963 FOREMAST continued

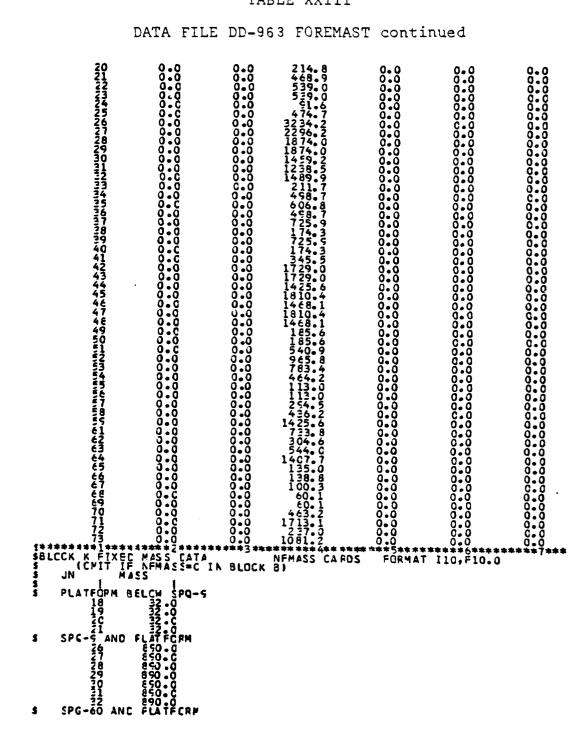
\$ SPS55 PLATFOR 160 160 161	• 25 63 • 25	71	1	29	30	1
\$ SPS55 PLATFOR	M 63	22	1	29	30	1
5.75 161	63 • 25 • 63	23	1	29	30	1
3 1 6 2	• 25	23	1	29	30	1
163	• 25	23	1	29	30	1
5175 5165 1675 1675 1675 7.625 7.625 11.66 11.68 11.68 11.69 11.69 11.70	• 25 64 • 25	22	1	29	30	1
S LOWER YARDARA	AND ERAC	ES	_			_
7.625	.3 75	£2	1	15	16	1
7.625	AÑO ERAC •375 •59 •375 •50	62	1	15	16	1
11.50	. 50	44	1	31	32	1
168 11.50	. 5 ¢	50	1	31	32	1
165 11.50	.50	55	1	31	32	1 .
11,50 11,50	.50 .50	56	1	31	32	1
171 5.75	14 • 25	49	1	33	34	1
172 5.75	• 14 • 25 • 14 • 25 • 25 • 25 • 25 • 25 • 25 • 25 • 25	50	1	33	34	1
\$********1***** \$BLOCK I JOINT	****2**** CGN STRAIN	**************************************	NCJ CARD	****5**** S FOR MA IX	7110	***7***
BLOCK I JOINT	1 1	Υ ,	IZ TX	X, I	ÝY II IZZ	1
1	i	i	į	i	į	
1 2 3	1	i 1	1	i	i	1
1 2 3		1	i i 0	i	i	
1 2 3	1110000	1110000	110000	i	i	
1 2 3	14110000000	1111000000	1110000000	i	i	
1 2 3	111100000000	11100000000	11110000000	i	i	
1 2 3	-11-10000000000000000000000000000000000	111100000000000000000000000000000000000		i	i	
1 2 3			1111000000000001	i	i	
1 2 3				i	i	
1 2 3		141100000000000000000000000000000000000		i	i	
1 2 3		111100000000000000000000000000000000000		i	i	
1 2 3				i	i	
1 2 3				i	i	
1 2 3				i	i	
1 2 3				i	i	
12745678901284567890 111111111111112222222222				i	i	
12745678901284567890 111111111111112222222222				i	i	
1 2 3						

TABLE XXII

DATA FILE DD-963 FOREMAST continued

89012345678901234567890123456789C1231 334444444441881818181818166666666777774	OOQOCOOQOOCOOQOOQOOQOOQOOQOOQOOQOOQOOQOO	000000000000000000000000000000000000000	000000000000000000000000000000000000000	00000000000000000000000000000000000000	00000000000000000000000000000000000000	000000000000000000000000000000000000000
## LOCK J JOI ## LOC	ID FIRE ANTE	EATACK B) FY LCADS -1000.00 -11000.00 -11000.00 -1000.00			TT110.6F10 TY 10.6F10 TY 10.6F10 TY 10.6F10 TY 10.6F10	TZ

TABLE XXIII DATA FILE DD-963 FOREMAST continued



	42 43 44 45 46 47	540.0 540.0 540.0 940.0 540.0 540.0					
\$	48 5PS-25 AND 23 64	940.0 PLATFCRM 225.0 325.0 325.0	_				
•	490564789011a	NC 0 TH ER FIXTURE 25 • 0 25 • 0 12 • 0 12 • 0 20 • 0 26 • 0 120 • 0 120 • 0 5 • 5 • 0 4 • 4 * * * * * * * * * * * * * * * * *					
\$ 8 L	LCCK L DESIG (AREA ANC	N VARIABLE INFCF CIMENSICA VARIA	RMATION CARDS	S AS REQID T IF NOVAR1	FORMAT		
\$	XA(I) . 13.75	XA (NDVAR1)	,	t		7.625	.375
	13.75 8.625 7.625 10.00 5.75 XAL(1)	. 7 7. 62! .375 12.50 .375 23.00 .50 7.62!	1.50 1.50 .375	8. 625 7. 625 9.50 7. 625	.375 .375 .50 .375	7.625 7.625 14.00 11.50	.375 .375 .75
\$ \$	XAL(1)	• 25			1	1	• • • • • • • • • • • • • • • • • • • •
3	8.00 5.000 5.000	.50 5.000 .250 8.00 .250 15.00	.250 .25 .50 .250	5.000 5.000	•250 •250 •25 •10	5.000 5.000 10.00	.250 .250 .50 .25
	000.00 00.60 00.60 (1) UAX	.50 5.000 .250 8.00 .250 15.00 .25 5.000	.250	3.00	.10	10.00 8.00	•50 •25
\$		1 1	1-50	15.00	1.50	15.00	1.50
	22.00 15.00 15.00 12.00	2.50 15.00 1.50 22.00 1.50 36.00 1.50 15.00	1.50 2.50 2.50 1.50	15.00 15.00 12.00	1.50 1.50 1.50 1.50	15.00 15.00 26.00	1.50 1.50 2.00 1.50
2**	**************	1.50 **************	*******	******5***	******6***	22.00	1.70
\$ B 1	TOCK N JOINT CPIT IF JN C	CISPLACEMENT CO ACSPLC=C IN BLO IR LC	INSTRAINTS (ICK B) BL	NDSPLC CARDS	5 FURMAT	3I10,2F10	
\$	67 67	3 3	-6.0 -6.0	6.0 6.0			
	46	3	-3.0 -3.0	3.0 3.0			
	482233341 22223341	3	-6.0 -6.0 -6.0	6.0 6.0 6.0			
	23 64 31	52	-6.0 02 -2.0	6.0 .02 2.0			
\$#X	31 ****** CCK C FREQU	5 *****2******** ENCY CCNSTRAINT	02 }####################################	•02 *******	******6***	******	
\$	2.0	ENCY CCNSTRAINT	} ****** *** 4**	**** ***5 ** **	******6***	******7***	
EN	LCCK P ÊND C	FKU					

APPENDIX B

PROGRAM ORGANIZATION

A. DESCRIPTION

The program organization is layed out in the following flow charts. The main driver program (SADXM) calls a subdriver (SADXSD), and the optimizer of the user's choice. All changes required for replacement of the optimizer are made in SADXM, thus allowing for easy testing of several optimizers on the same problem.

SADXSD may be called from the main for input, analysis, and output. Printed output may vary as the user requires. A complete listing of all subroutines and their functions is given in Table XXIV.

TABLE XXIV

SUBROUTINE DIRECTORY

	SUBROUTINE DIRECTORY
SADXM	DRIVER PROGRAM FOR USING THE ABOVE SUBROUTINES. SADYM MAY BE COUPLED TO OPTIMIZER OF USER'S CHOICE.
SADXSD	SUBDRIVER PROGRAM FOR COUPLING SADX ROUTINES TO SADXM
SADX01	THIS ROUTINE READS AND PRINTS INPUT DATA AND ORGANIZES PSEUDO-DYNAMIC STORAGE ALLOCATION
SADXO2	BUILDS VECTORS JC AND IIK FOR FINITE ELEMENT STRUCTURAL ANALYSIS
SADX03	BUILDS THE 12x12 ELEMENT STIFFNESS MATRIX
SADX05	SUPERIMPOSES THE ELEMENT STIFFNESS MATRIX EK (OR ELEMENT MASS MATRIX EM) ON THE COMPACTED GLOBAL STIFFNESS MATRIX AK (OR THE GLOBAL COMPACTED MASS MATRIX AM)
SADX06	BUILDS GLOBAL LUMPED MASS MATRIX
SADX07	LU DECOMPOSES SYMMETRIC, POSITIVE-DEFINITE SPARCE MATRICES, THE UPPER TRIANGLE OF WHICH IS STORED IN MATRIX AK (OR AM) WITH LEADING ZEROES NOT STORED
SADX08	FORWARD AND BACK SUBSTITUTES TO YIELD A SOLUTION A SET OF LINEAR EQUATIONS (DECOMPOSED BY SADXO7 OR EQUIVALENT)
SADX09	PRINTS ALL JOINT DISPLACEMENTS FOR EACH LOAD CONDITION OF A FINITE ELEM. STRUCTURE
SADX11	ROUTINE TO ORGANIZE ANALYSIS
SADX15	CALCULATES VALUES FOR ALL DESIGN AND BEHAVIORIAL CONSTRAINTS AS DEFINED BY "SADX" PROGRAM
SADX16	CALCULATES STRESS IN TRUSS ELEMENT LNO UNDER LOAD CONDITION JJ
SADX17	PRINTS STRESSES AND/OR FORCES FOR TRUSS ELEMENTS
SADX19	ADDS ELEMENT MASS MATRIX AA OF ELEMENT LNO TO GLOBAL MASS MATRIX AM TO BUILD THE LUMPED MASS MATRIX
SADX23	CALCULATES WEIGHT OF TRUSS/PRAME STRUCTURE OR CALCULATE WEIGHT OF INDIVIDUAL MEMBERS
SADX36	CALCULATES (XEIG-T*AM*XEIG) FOR GRADIENT CALCULATIONS IN PREQUENCY CONSTRAINTS
SADX37	CALCULATES EIGENVALUE GRADIENT INFORMATION IN FINITE ELEMENT STRUCTURAL ANALYSIS AND DESIGN

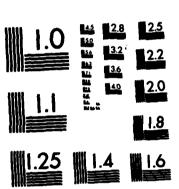
SADX46	READS INPUT INFORMATION FOR TRUSS ELEMENTS	
SADX47	TRANSFORMS THE ELEMENT STIFFNESS MATRIX EK (OR ELEMENT MASS MATRIX EM) FROM LOCAL TO GLOBAL COORDINATES	
SADX49	SOLVES REAL EIGENVALUE PROBLEMS USING THE SUESPACE ITERATION METHOD	
SADX50	BUILDS INITIAL SET OF BASIS VECTORS FOR EIGENSOLUTION BY REDUCED BASIS METHOD	
SADX53	PRINTS MEMBER INFORMATION FOR TRUSS ELEMENTS	
SADX62	PRINTS NEIG EIGENVALUES STORED IN EIGVAL, AND THEIR CORRESPONDING EIGENVÉCTORS STORED IN XEIG	
SADX71	PRINTS G VECTOR OF CONSTRAINTS	
SADX72	READS IN FRAME ELEMENT INPUT DATA	
SADX78	BUILDS 3x3 TRANSFORMATION ARRAY TRFORM FOR TRANSFORMING FROM LOCAL TO GLOBAL COORDINATES	
SADX80	CALLS SADX03 TO BUILD THE ELEMENT STIFFNESS MATRIX; CALLS SADX47 TO TRANSFORM THE MATRI AND CALLS SADX05 TO BUILD THE REDUCED GLOBA STIFFNESS MATRIX	ĭ:
SADX81	CALCULATES STRESS IN FRAME ELEMENT LNG UNDE LOAD CONDITION JJ (IF JJ=0 STRESSES CALCULATED FOR ALL LOAD CONDITIONS)	R
SADX82	READS INPUT DATA FOR FRAME ELEMENTS WITH SPECIFIED SECTION TYPES	
SADX83	PPINTS STRESSES AND/OR FORCES FOR FRAME ELEMENTS	
SADX84	PRINTS MEMBER INFORMATION FOR FRAME ELEMENT	S
SADX85	CALCULATES SECTION PROPERTIES FOR FRAME ELEMENTS OF A SECTION TYPE GIVEN BY LSECT	
SADX86	CALLS EITHER SADXO6 TO BUILD THE LUMPED MAS MATRIX OR BUILDS THE CONSISTENT MASS MATRIX BY CALLING SADX87 TO BUILD THE ELEMENT MASS MATRIX, SADX78 TO BUILD THE TRANSFORMATION MATRIX, SADX47 TO TRANSFORM THE ELEMENT MAS MATRIX, AND SADX88 TO ASSEMBLE THE COMPACTE GLOBAL MASS MATRIX	s
SADX87	CALLS BUILDS THE ELEMENT CONSISTENT MASS MATRIX	

SADX88	CONVERTS UNFORMATTED DATA TO FORMATTED DATA IN FIELDS OF 10, EACH RIGHT JUSTIFIED AND ACCEPTS SCOMMENT CARDS IN DATA
SADX89	SOLVES EIGENVALUE PROBLEM A-ALAMBD*B X=0
SADX90	SOLVES EIGENVALUE PROBLEM
SADX91	SOLVES EIGENVALUE PROBLEM
SETIME	STARTS EXECUTION TIMER (NO NIMSL LIBRARY)
GETIME	STOPS EXECUTION TIMER

MD-A124 988 OPTIMIZATION OF THREE DIMENSIONAL COMBINED TRUSS/FRAME 2/2 STRUCTURES(U) NAVAL POSTGRADUATE SCHOOL MONTEREY CA G L BENDER OCT 82

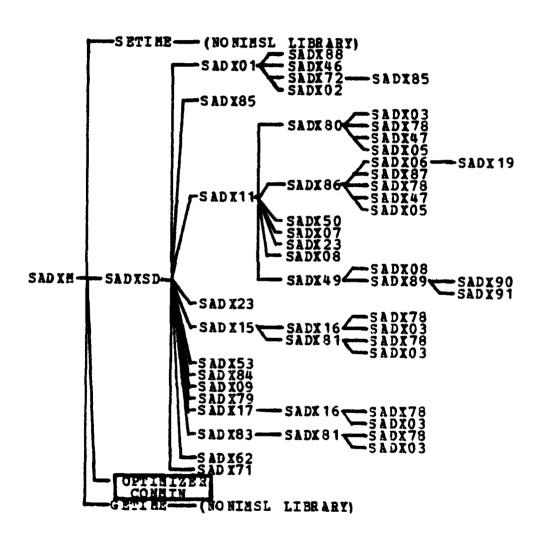
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MICROCOPY RESOLUTION TEST CHART
NATIONAL BUREAU OF STANDARDS-1963-A

TABLE XXV
PROGRAM BLOCK DIAGRAM



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